

EASiTool 3.0

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Outline

- What is EASiTool?
- Assumptions and limitations
- Technical background
- Interface
 - Input
 - output
- Case study
- Time-lapse compressibility monitoring

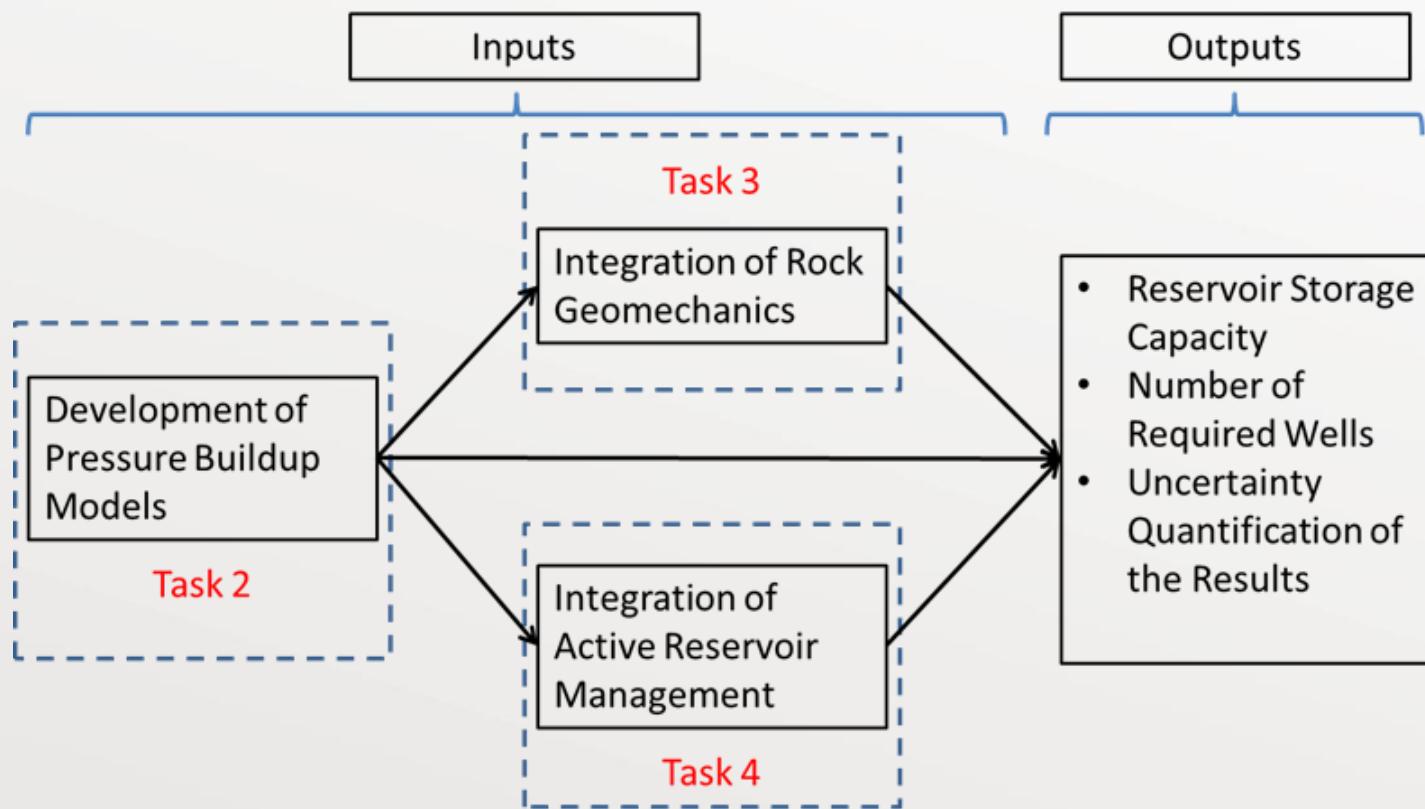
Enhanced Analytical Simulation Tool for CO₂ storage capacity Estimation (EASiTool)

- Funded by Department of Energy (2013-2018)
- It uses analytical models to estimate the storage capacity.
 - It does sensitivity analysis
 - It provides the number of injection wells required
 - It integrates some geomechanical aspects
 - It does a simple NPV analysis

Methods Comparison

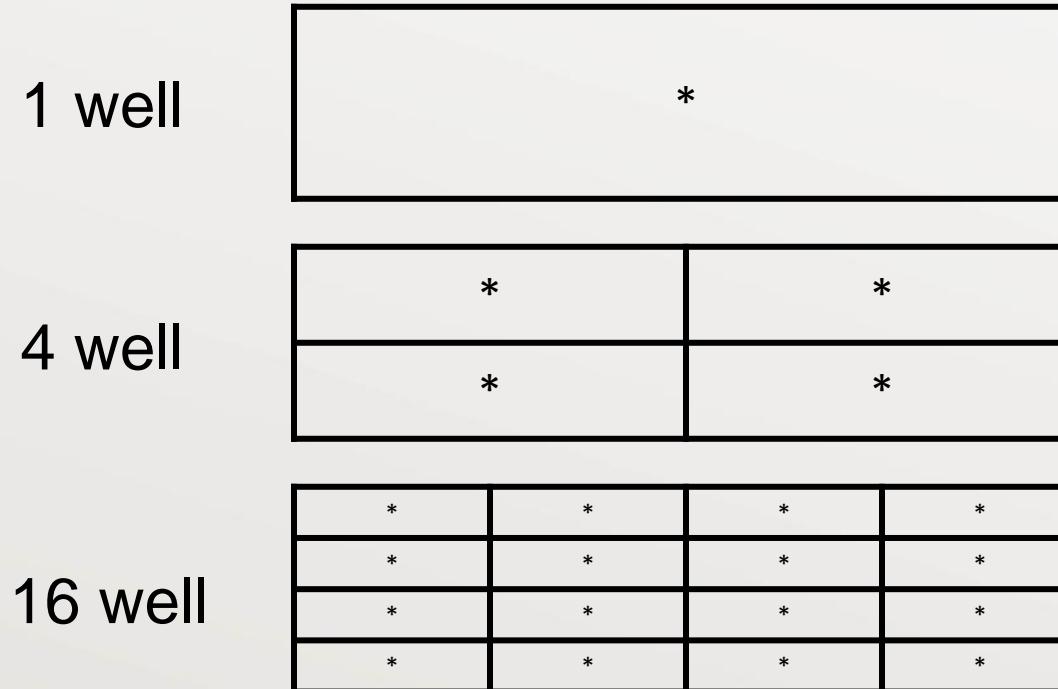
Tool/Approach Name	DOE/NETL	CSLF	USGS	EASTool	Numerical Simulators
Reservoir scale	Yes	Yes	Yes	Yes	Yes
Accuracy	Low	Low	Low	Medium/High	High
Boundary conditions	No	No	No	Yes	Yes
Rock geomechanics	No	No	No	Yes*	Yes
Brine management	No	No	No	Yes	Yes
Required expertise	Low	Low	Low	Low	High
Cost of use	Low	Low	Low	Low	High
Computational speed	High	High	High	High	Low
Dynamic	No	No	No	Yes	Yes
Sensitivity Analysis	Simple	Simple	Simple	Yes	Yes

EASiTool overview



Technical Elements

- Developing superposition theory for multi-well CO₂ injection
- Solving for both open and closed boundary conditions
- Considering brine evaporation and salt precipitation
- Finding injection rates to max. storage capacity (inverse problem)
- Analytical estimating of maximum allowable injection pressure
 - ✓ Stress-pore pressure coupling
 - ✓ Thermal stress

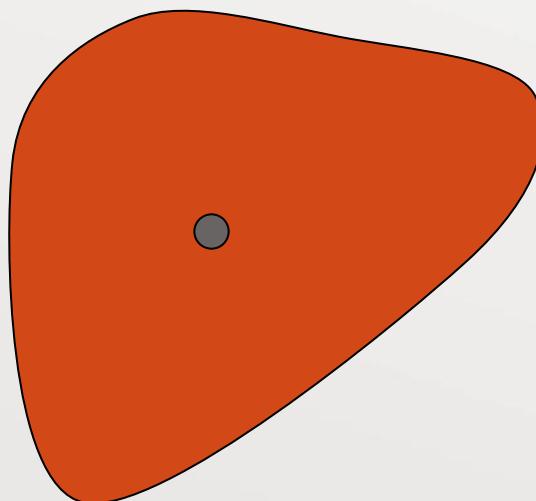


Assumptions

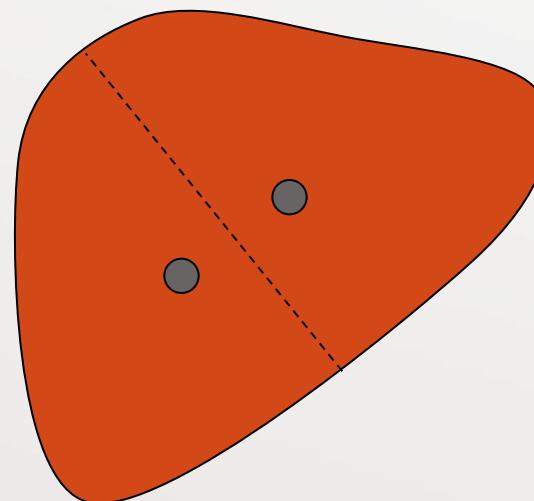
- Homogeneous/isotropic properties
- Constant rate injection
- No specific structure
- Two-phase flow (Brine and CO₂)
- Fluid properties are pressure dependent
- Use superposition for multiwell scenarios

Superposition (multi-well injection)

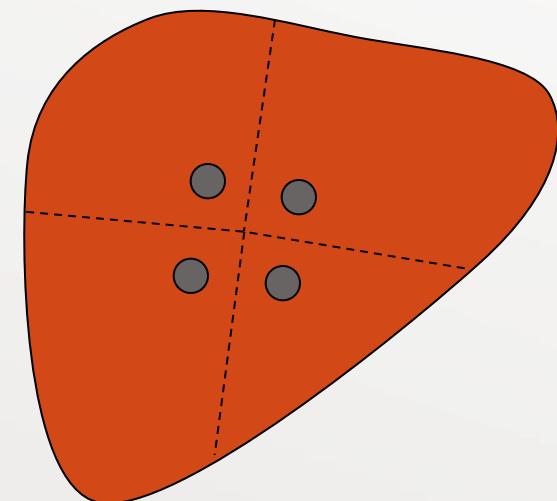
- Good news: multiple injectors enable greater overall injection rate than single well
- Bad news: multiple injectors interfere with each other



1 well



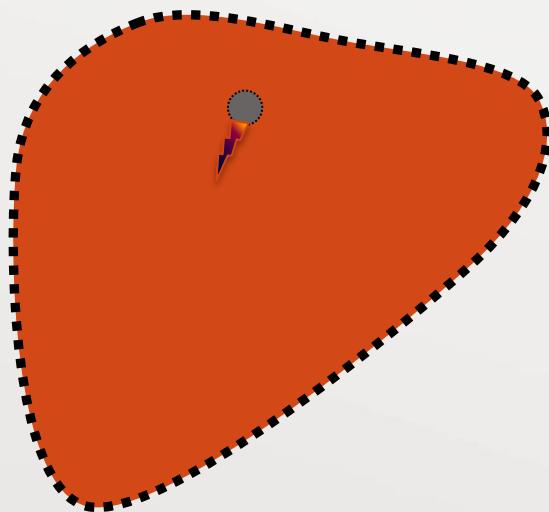
2 well



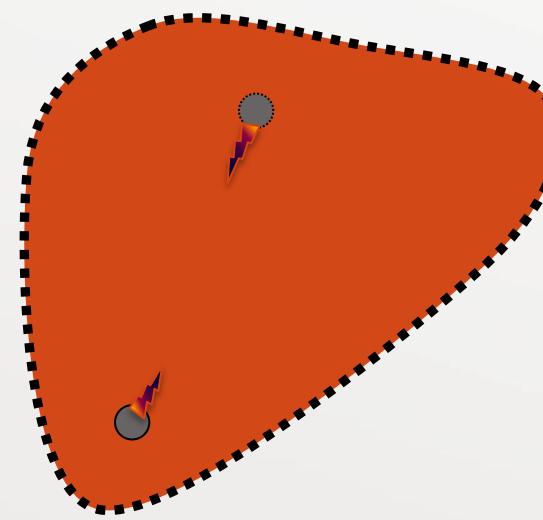
4 well

Superposition (multi-well injection)

- **Interference vs. no interference**



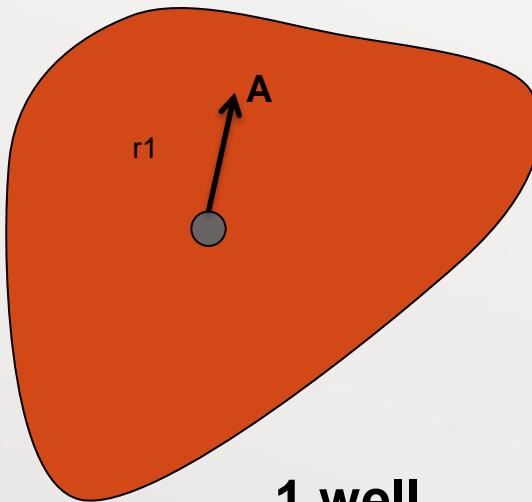
No interference



With interference

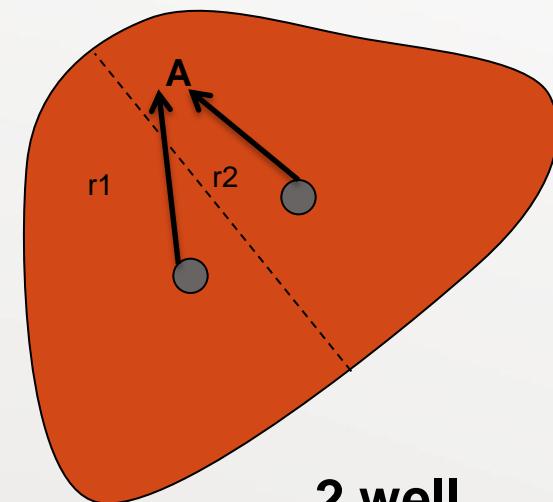
Superposition (multi-well injection)

$$P_A = f(\text{reservoir and fluid prop.}, r_1, t)$$



1 well

$$P_A = P_{r1} + P_{r2}$$



2 well

Water Resources Research

AN AGU JOURNAL

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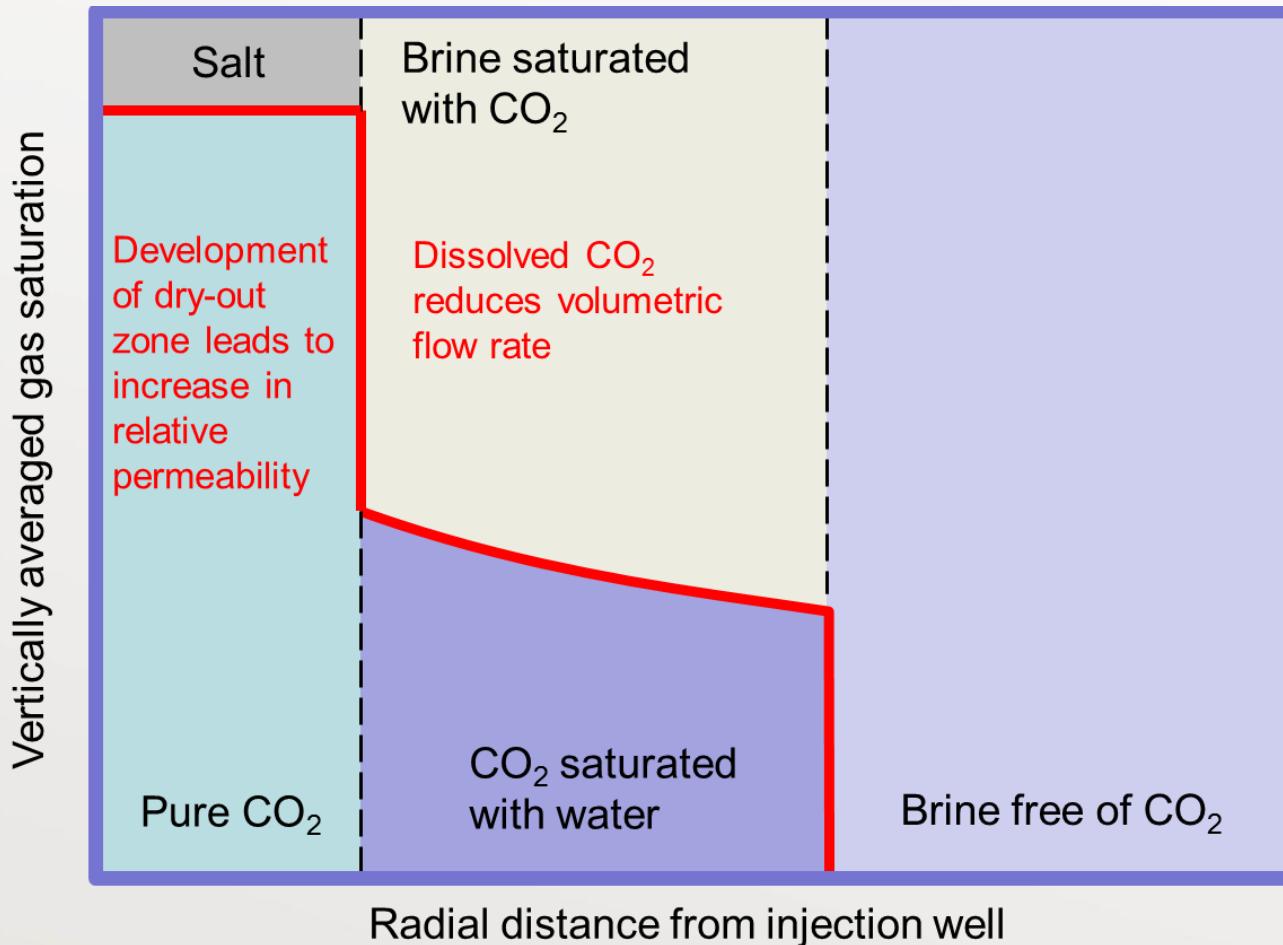
Regular Article

Role of partial miscibility on pressure buildup due to constant rate injection of CO₂ into closed and open brine aquifers

Simon A. Mathias, Jon G. Gluyas, Gerardo J. González Martínez de Miguel,

Seyyed A. Hosseini

Analytical model

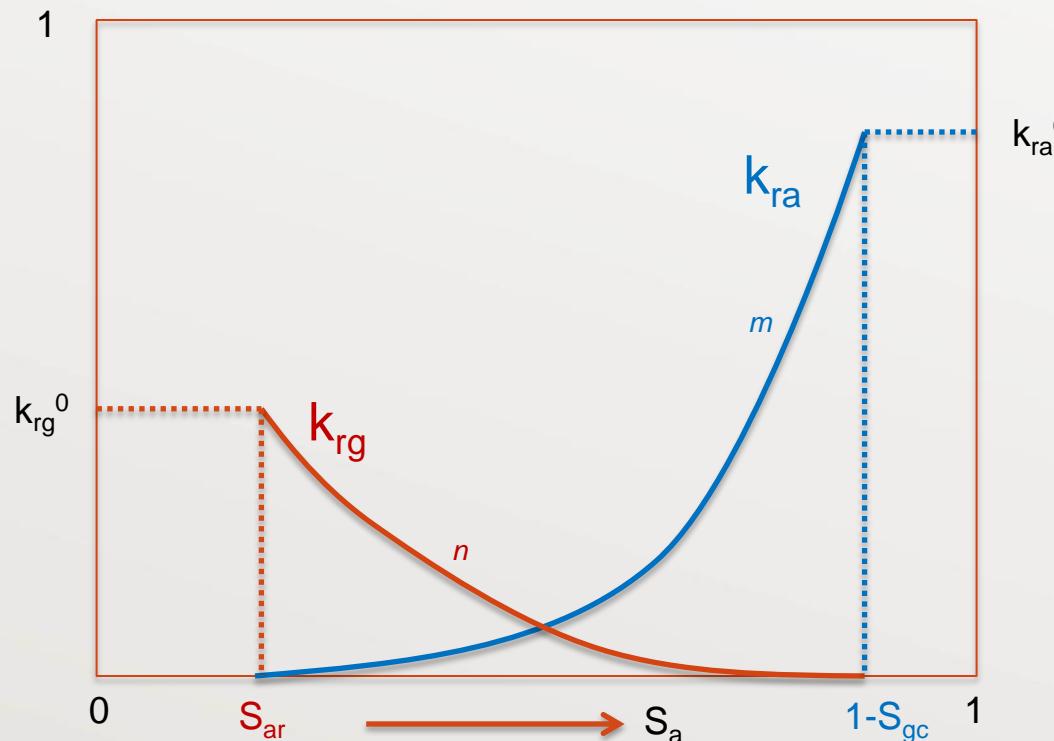


Relative Permeability (two-phase flow)

- Brooks-Corey model:

$$k_{rg} = \begin{cases} 0, & S_g < S_{gc} \\ k_{rg}^* \left(\frac{S_g - S_{ar}}{1 - S_{ar} - S_{gc}} \right)^n, & S_g > S_{gc} \end{cases}$$

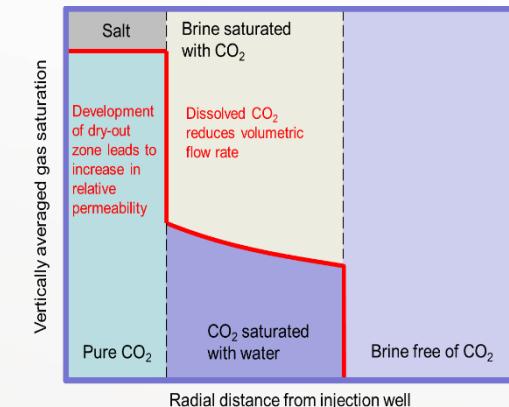
$$k_{ra} = \begin{cases} 0, & S_a < S_{ar} \\ k_{ra}^* \left(\frac{S_a - S_{ar}}{1 - S_{ar} - S_{gc}} \right)^m, & S_a > S_{ar} \end{cases} \quad S_g = 1 - S_a$$



Analytical model

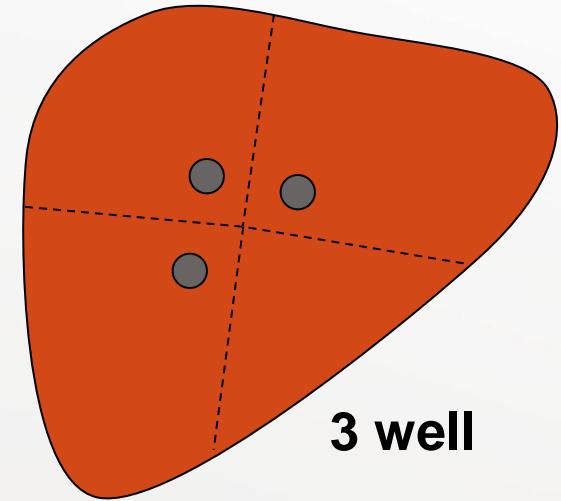
$$P - P_0 =$$

$$\frac{M_0}{4\pi\rho_c H k} \begin{cases} \frac{\mu_c q_{D1}}{k_{rs}} \ln \left(\frac{z_T}{z} \right) + \mu_g q_{D2} F_2(z_T) + \mu_b q_{D3} F_1(z_L), & 0 \leq z < z_T \\ \mu_g q_{D2} F_2(z) + \mu_b q_{D3} F_1(z_L), & z_T \leq z \leq z_L \\ \mu_b q_{D3} F_1(z), & z > z_L, \end{cases}$$



Superposition (multi-well injection)

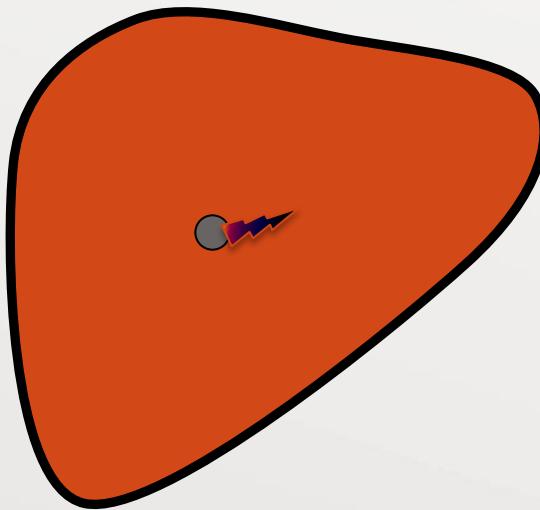
- Finding the optimized rate to maximize storage capacity



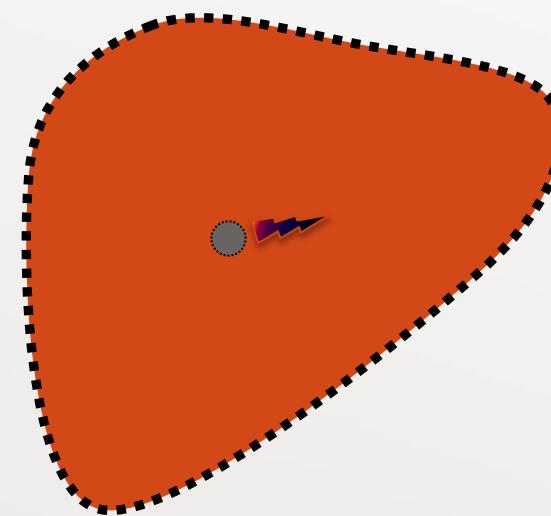
$$\begin{bmatrix} \frac{1}{2}(\ln(t_D) + 0.80908) + S_a & -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D1-2}^2}{4\eta_{D3}t_D} \right) & -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D1-3}^2}{4\eta_{D3}t_D} \right) \\ -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D2-1}^2}{4\eta_{D3}t_D} \right) & \frac{1}{2}(\ln(t_D) + 0.80908) + S_a & -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D2-3}^2}{4\eta_{D3}t_D} \right) \\ -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D3-1}^2}{4\eta_{D3}t_D} \right) & -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D3-2}^2}{4\eta_{D3}t_D} \right) & \frac{1}{2}(\ln(t_D) + 0.80908) + S_a \end{bmatrix} \begin{Bmatrix} q^1 \\ q^2 \\ q^3 \end{Bmatrix} = \begin{Bmatrix} \frac{2\pi h k k_{rg}}{\mu_g} \Delta P \\ \frac{2\pi h k k_{rg}}{\mu_g} \Delta P \\ \frac{2\pi h k k_{rg}}{\mu_g} \Delta P \end{Bmatrix}$$

Boundary Condition

- Open vs. Closed

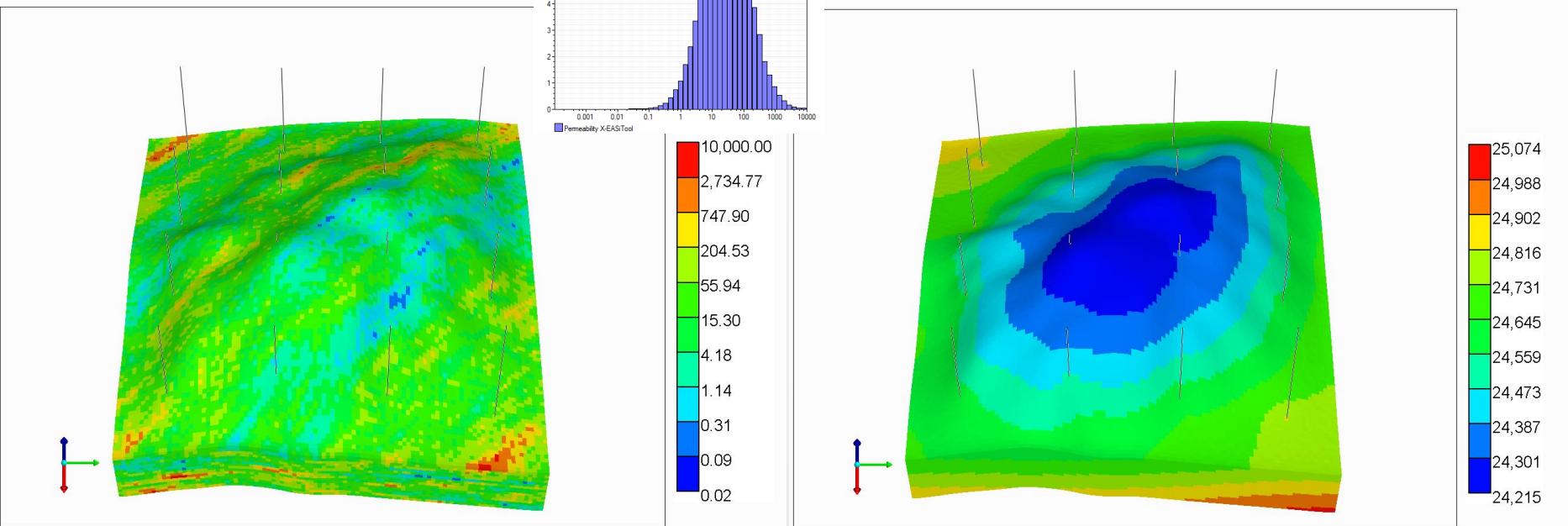


Closed

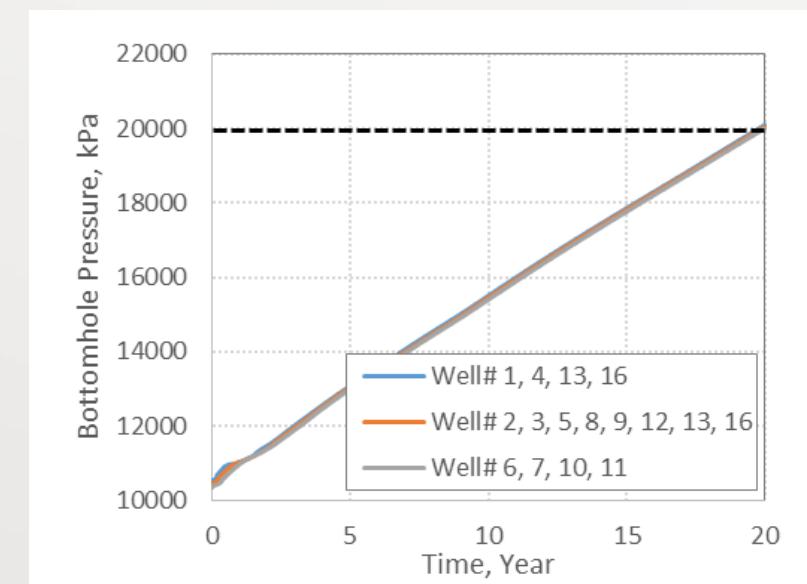
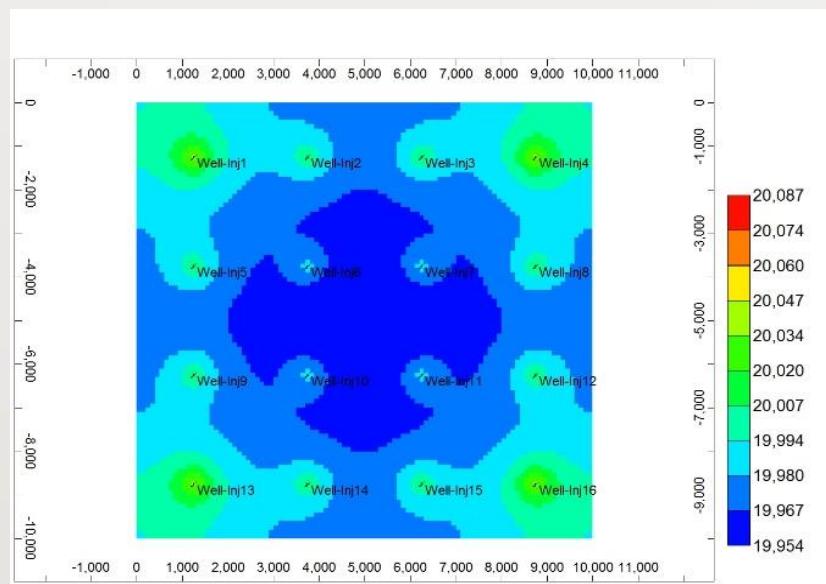
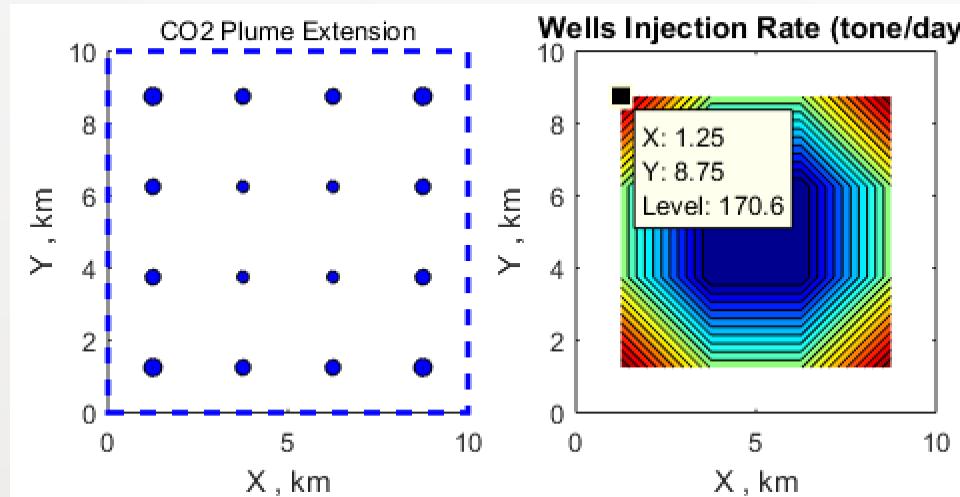


Open

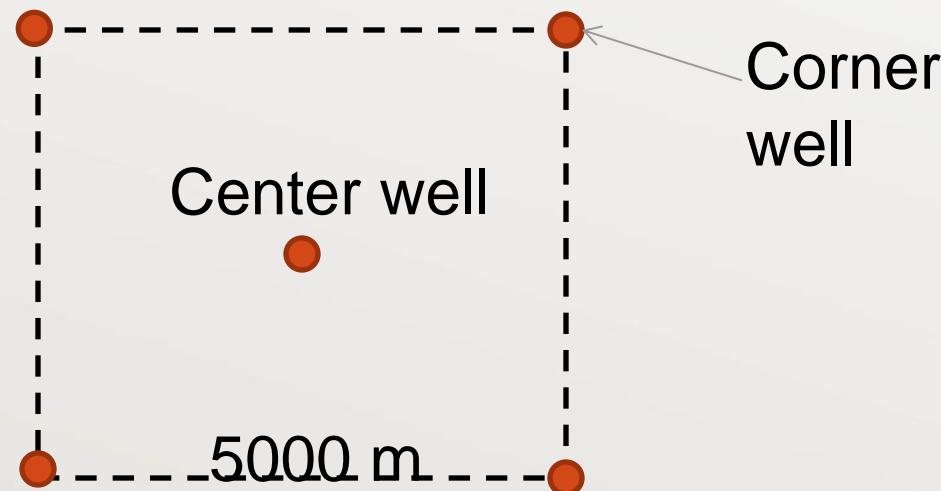
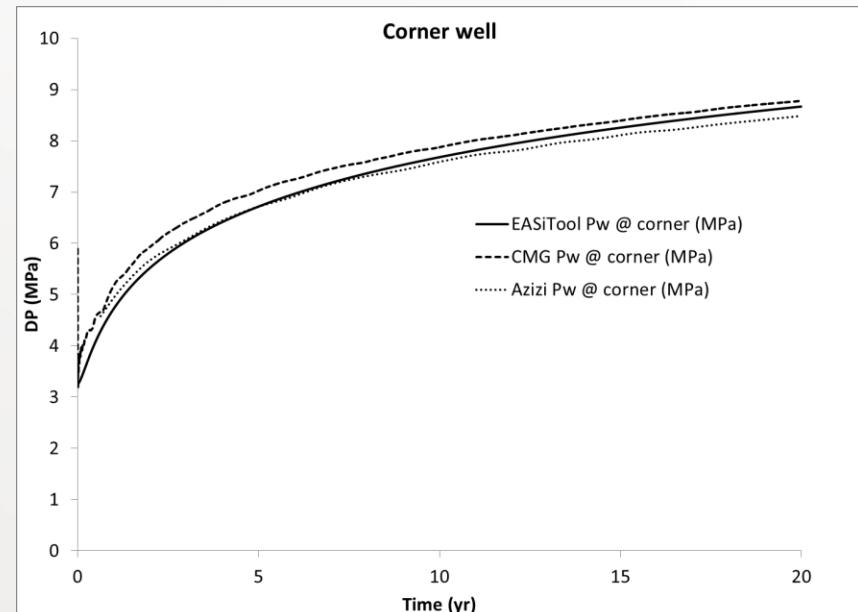
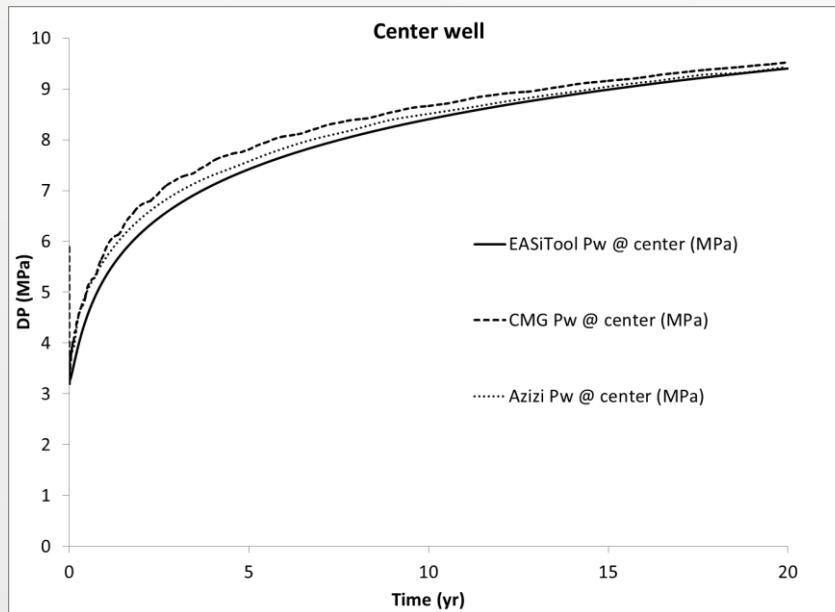
Verification of EASiTool Models



Verification of EASiTool Models

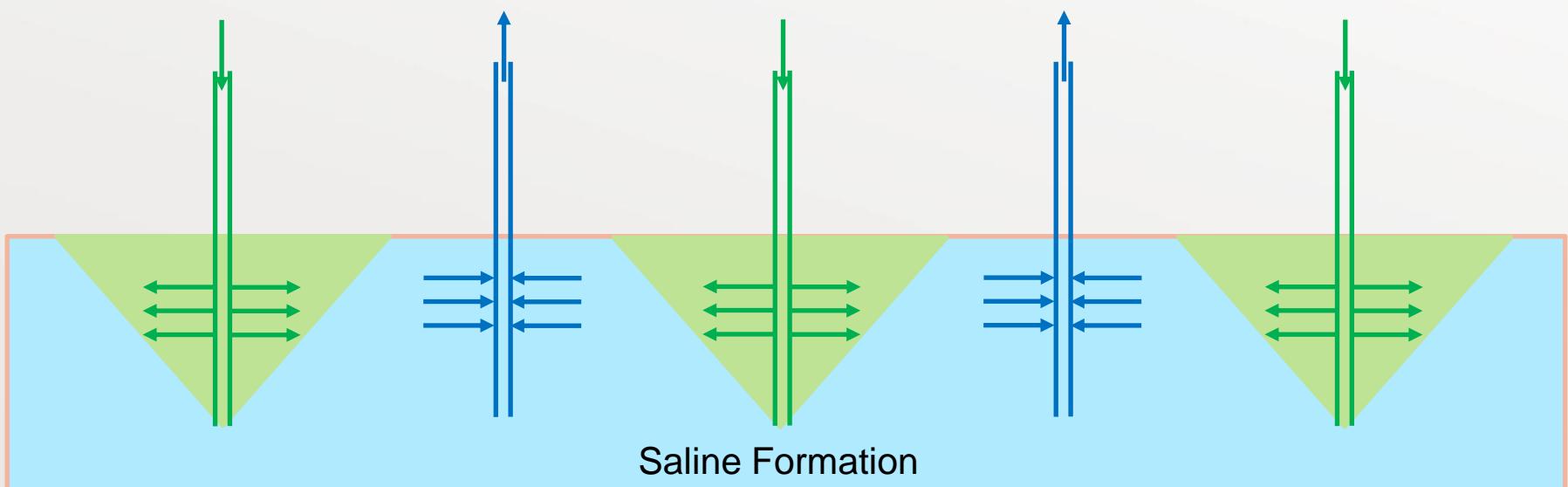


Progress to Date on Key Technical Issues



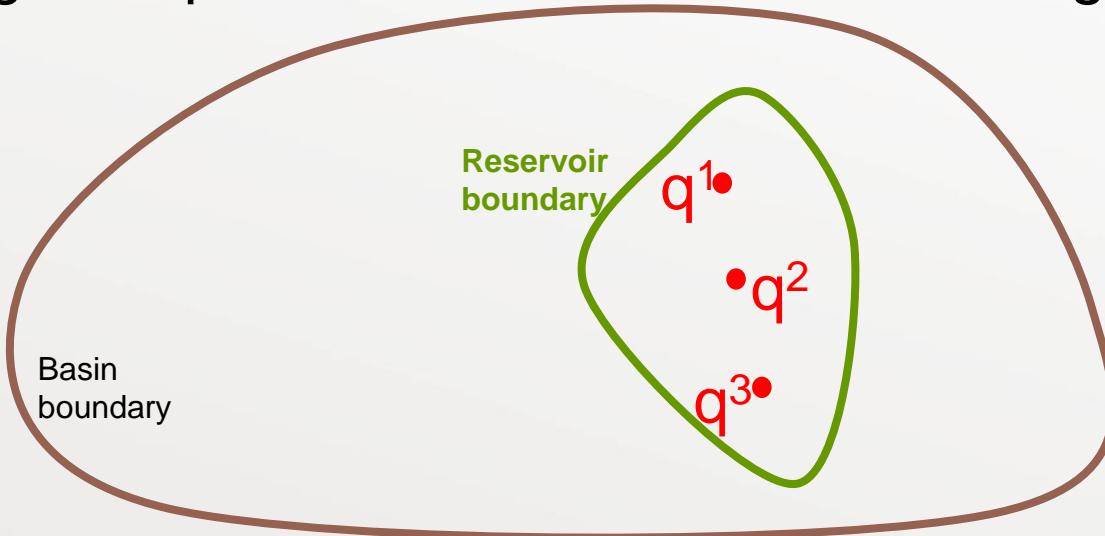
Brine Extraction

CO₂ Injectors Brine Extractors



Brine Extraction Theory

- Finding the optimized rate to maximize storage capacity



$$\begin{bmatrix} \frac{1}{2}(\ln(t_D) + 0.80908) + S_a & -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D1-2}^2}{4\eta_{D3}t_D} \right) & -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D1-3}^2}{4\eta_{D3}t_D} \right) \\ -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D2-1}^2}{4\eta_{D3}t_D} \right) & \frac{1}{2}(\ln(t_D) + 0.80908) + S_a & -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D2-3}^2}{4\eta_{D3}t_D} \right) \\ -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D3-1}^2}{4\eta_{D3}t_D} \right) & -\frac{1}{2} \frac{\bar{\lambda}_g}{\bar{\lambda}_w} E_i \left(-\frac{r_{D3-2}^2}{4\eta_{D3}t_D} \right) & \frac{1}{2}(\ln(t_D) + 0.80908) + S_a \end{bmatrix} \begin{Bmatrix} q^1 \\ q^2 \\ q^3 \end{Bmatrix} = \begin{Bmatrix} \frac{2\pi h k \bar{k}_{rg}}{\mu_g} \Delta P_{max} \\ \frac{2\pi h k \bar{k}_{rg}}{\mu_g} \Delta P_{max} \\ \frac{2\pi h k \bar{k}_{rg}}{\mu_g} \Delta P_{max} \end{Bmatrix}$$

The term ΔP_{max} is circled in red.

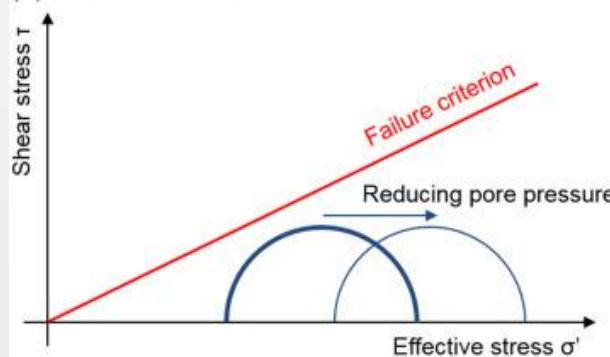
Maximum injection pressure

- Pore pressure stress coupling
 - Change in total stress ($\Delta\sigma$) is coupled with change in pore pressure(ΔP).
 - We define $\beta_h = \Delta\sigma_h / \Delta P$ and $\beta_v = \Delta\sigma_v / \Delta P$ & typically $\beta_h > \beta_v$
- Thermal stress
 - Injected CO₂ is generally colder than formation brine.
 - shrinkage of the rock formation (specially near the injection well) by $\sigma^{\Delta T} = 2\alpha_T E \Delta T / (1 - 2\vartheta)$
- Mohr-Coulomb shear failure criterion

$$\tau = c + (\sigma_n - \alpha \cdot P_{max})\mu$$

Shear Slip

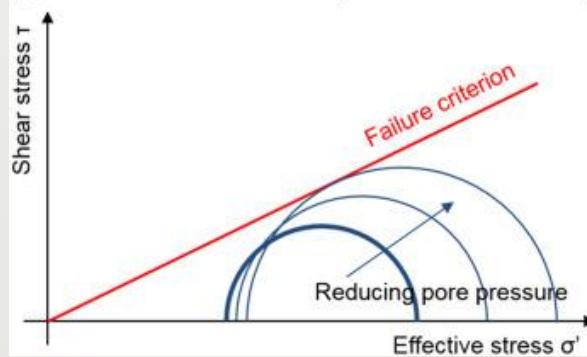
(a) Fluid Extraction



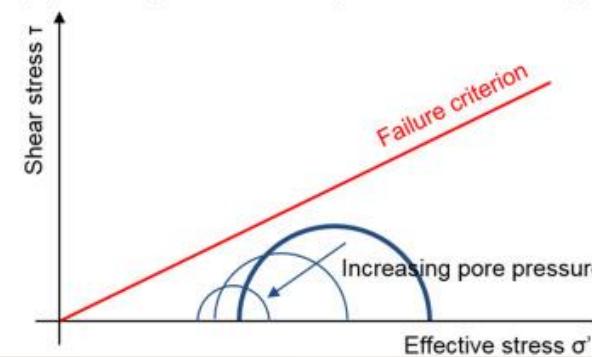
(b) Fluid Injection



(c) Fluid Extraction – Pore pressure/stress coupling



(d) Fluid Injection – Pore pressure/stress coupling



Thermal Stress in EASiTool

- CO₂ injection: volume expansion and increase in stress driven by fluid injection
- But injecting colder fluid will also cause thermal contraction and decrease in stress
- If temperature drops by ΔT, total stress decreases as follows (assuming fully constrained sediment):

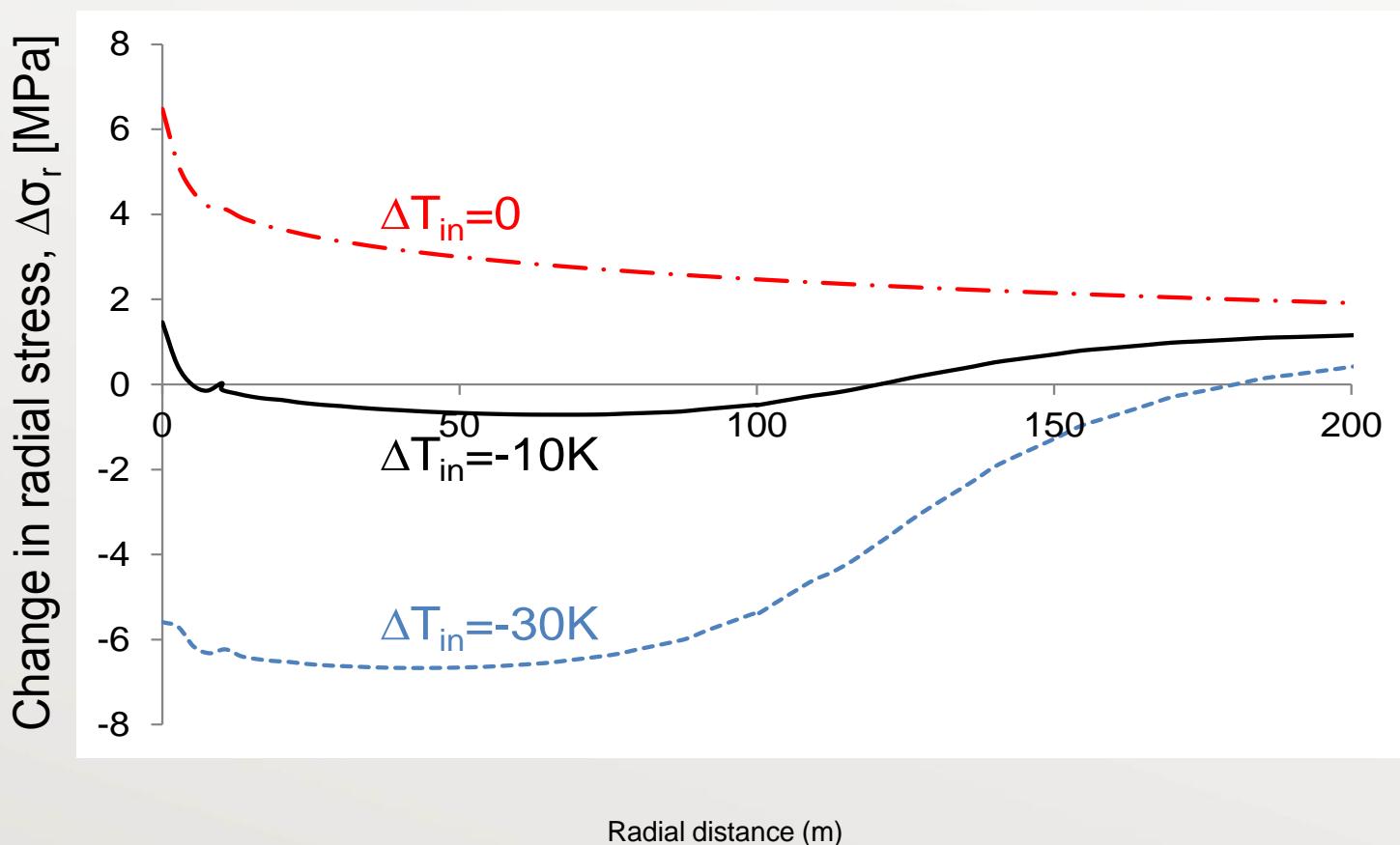
$$\Delta\sigma^T = \frac{\alpha_T E \Delta T}{1 - 2\nu}$$

αT: coefficient of thermal expansion and E: Young's modulus

- We developed analytical solution to estimate P_{max} under Normal-Faulting and Reverse-Faulting and integrated into our capacity estimation module.

Thermal Effects

- Increase in the total stress from the poroelastic effect
- Decrease in the total stress from the thermal effect



Maximum injection pressure

- Normal fault system

$$P_{\max} = \frac{1}{[2\alpha - \beta_v - \beta_h - (\beta_v - \beta_h) \cos 2\theta + (\beta_v - \beta_h) \sin 2\theta / \mu]}.$$

$$[(1+K) + (1-K) \cos 2\theta - (1-K) \sin 2\theta / \mu] \sigma_{v0} - [(\beta_v + \beta_h) + (\beta_v - \beta_h) \cos 2\theta - (\beta_v - \beta_h) \sin 2\theta / \mu] P_{pi} - \frac{2\alpha_T E \Delta T}{1-2\nu}$$

- Reverse fault system

$$P_{\max} = \frac{1}{[2\alpha - \beta_h - \beta_v - (\beta_h - \beta_v) \cos 2\theta + (\beta_h - \beta_v) \sin 2\theta / \mu]}.$$

$$[(K+1) + (K-1) \cos 2\theta - (K-1) \sin 2\theta / \mu] \sigma_{v0} - [(\beta_h + \beta_v) + (\beta_h - \beta_v) \cos 2\theta - (\beta_h - \beta_v) \sin 2\theta / \mu] P_{pi} - \frac{2\alpha_T E \Delta T}{1-2\nu}$$

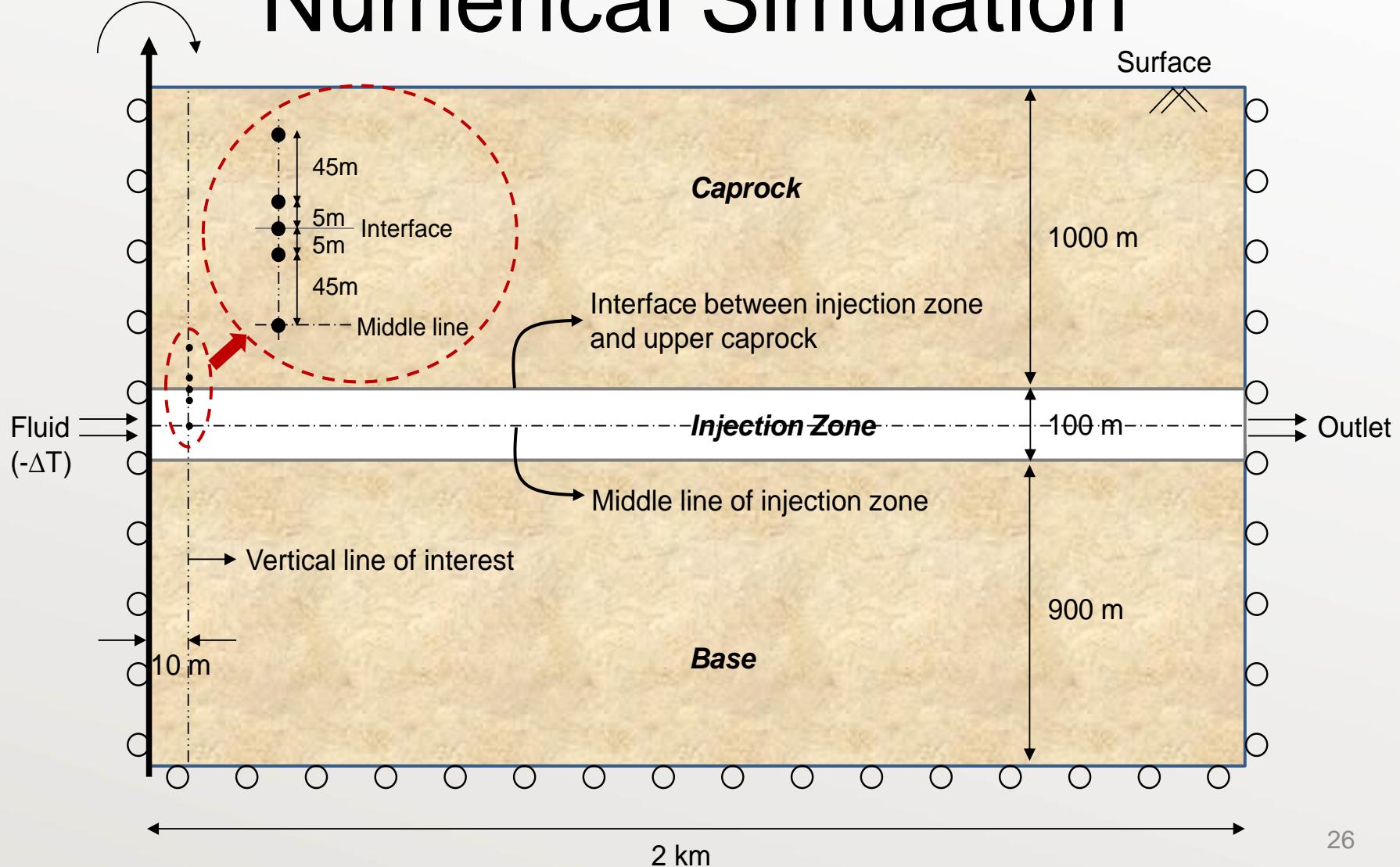
- Strike-slip fault system

$$P_{\max} = \frac{1}{\alpha - \beta_h} \left[\left(\frac{1+K_H}{2} + \frac{1-K_H}{2} \cos 2\theta - \frac{1-K_H}{2} \sin 2\theta / \mu \right) \sigma_{H0} - \beta_h \cdot P_{pi} - \frac{\alpha_T E \Delta T}{1-2\nu} \right]$$

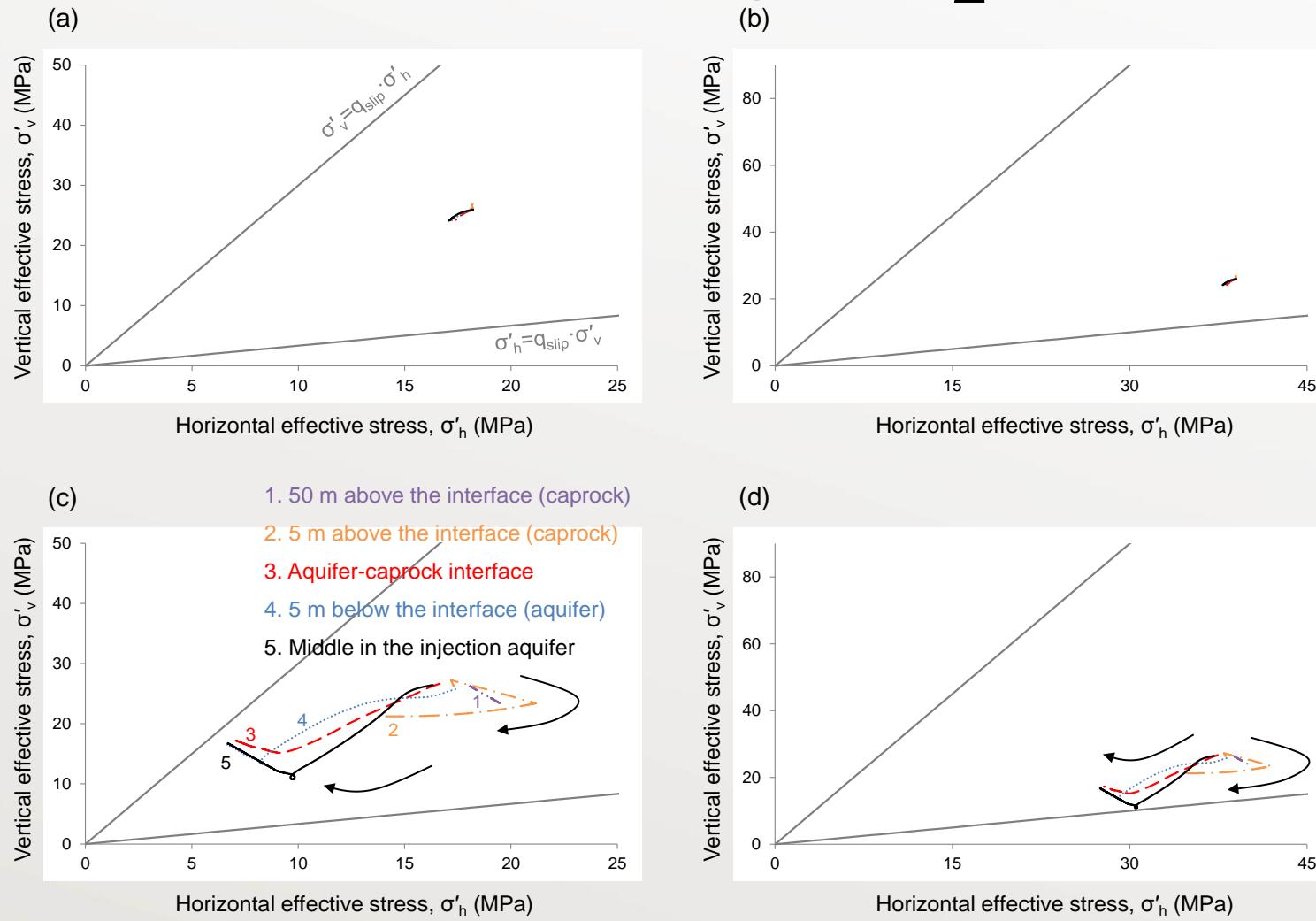
$$\Delta P_{\max} = P_{\max} - P_{pi}$$

- Kim, S, and Hosseini, S. A., 2014, Geological CO₂ storage: incorporation of pore-pressure/stress coupling and thermal effects to determine maximum sustainable pressure limit: Energy Procedia, v. 63, p. 3339-3346,
- Kim, S, and Hosseini, S. A., 2016, Study on the Ratio of Pore-Pressure/Stress Changes During Fluid Injection and Its Implications for CO₂ Geologic Storage, Journal of Petroleum Science and Engineering, in press.

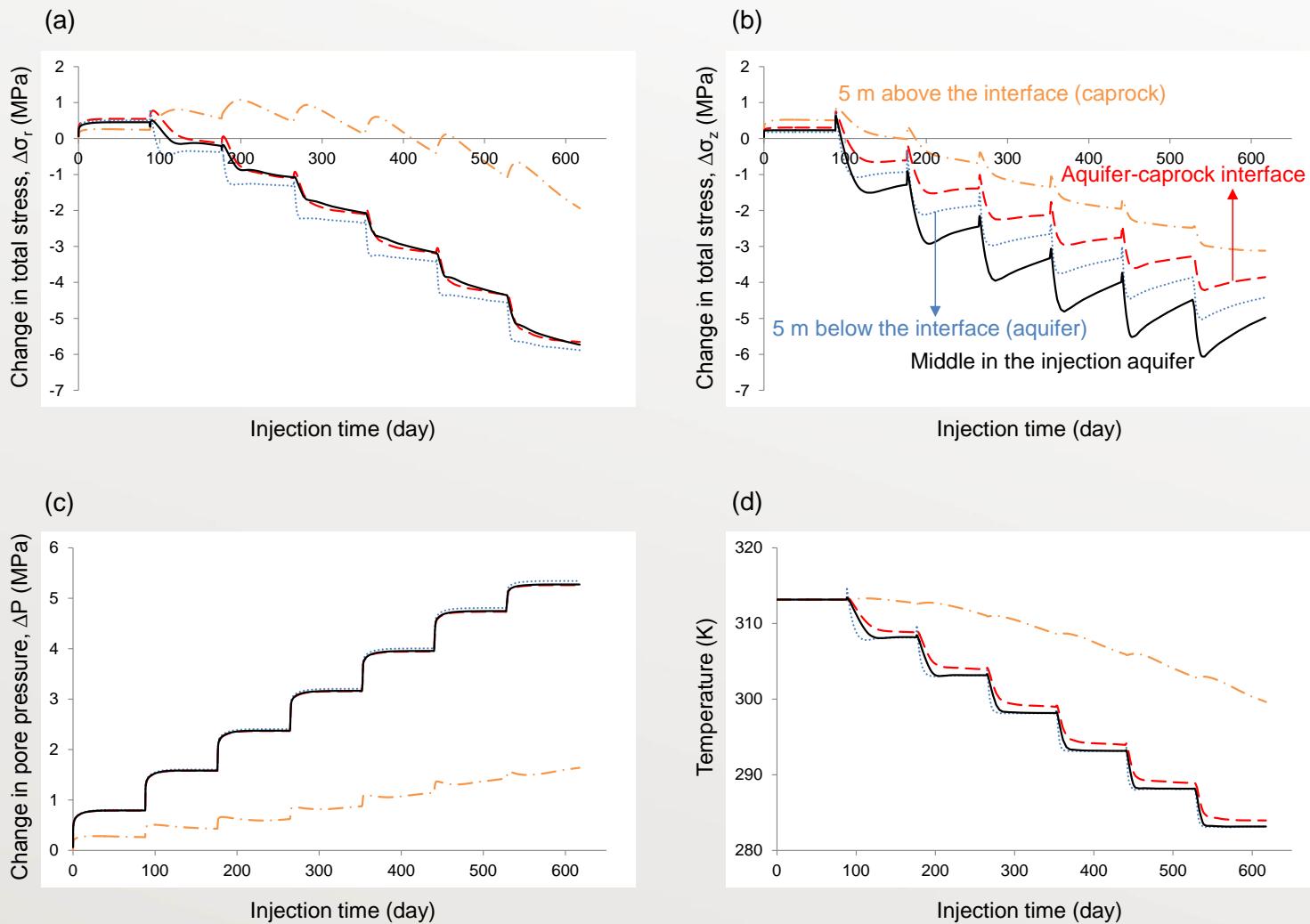
Numerical Simulation



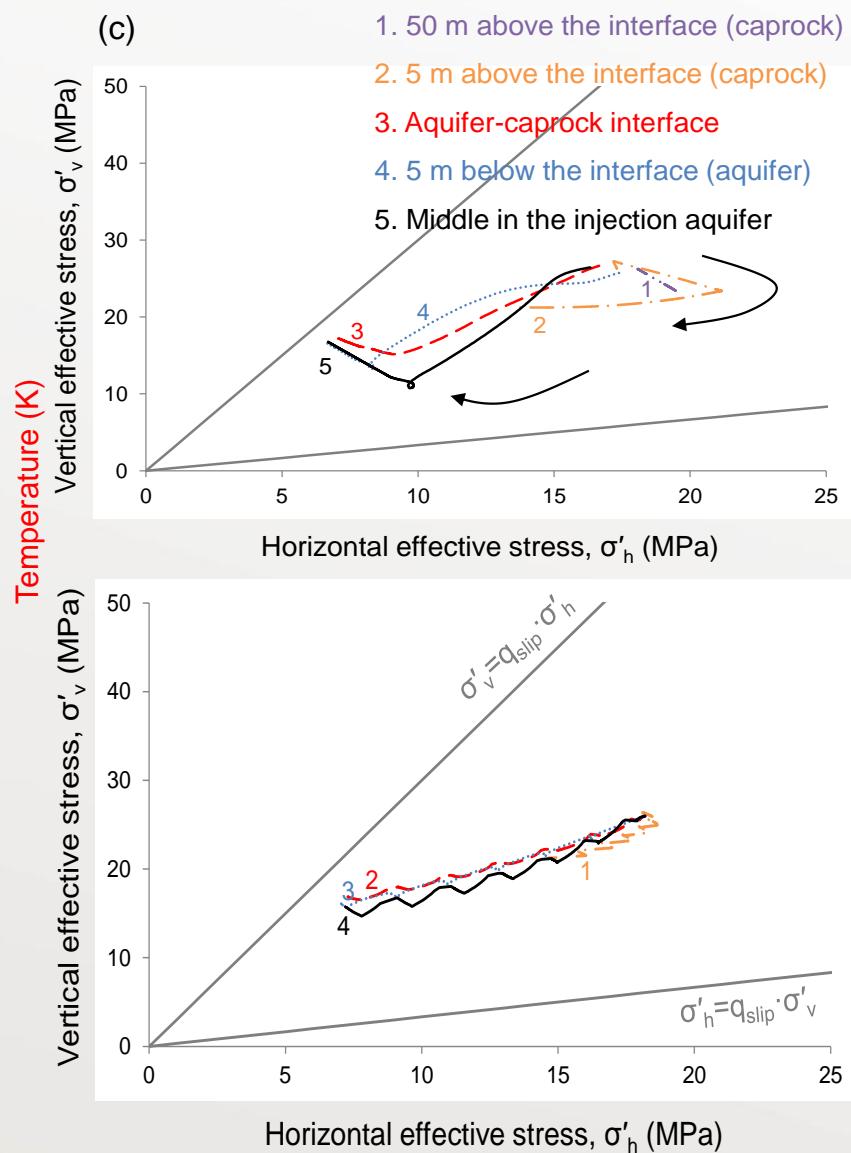
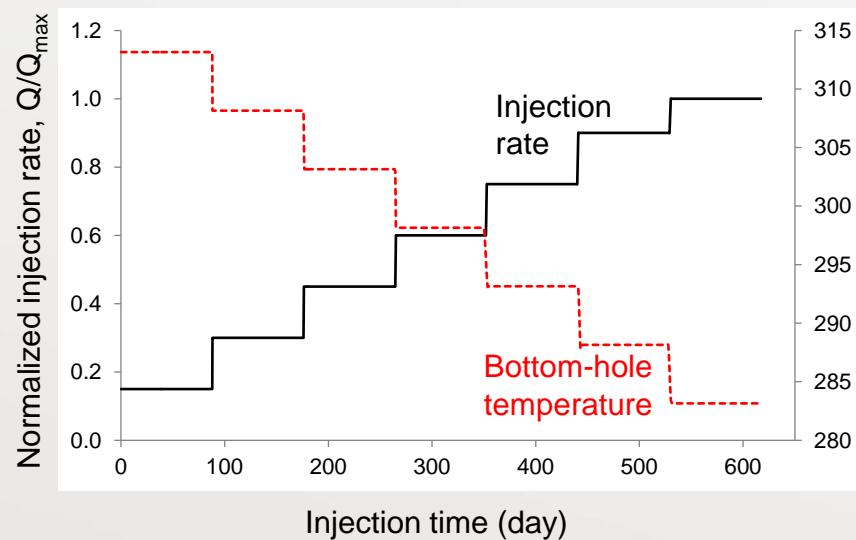
Stress Path During CO₂ Injection



Stepwise Injection



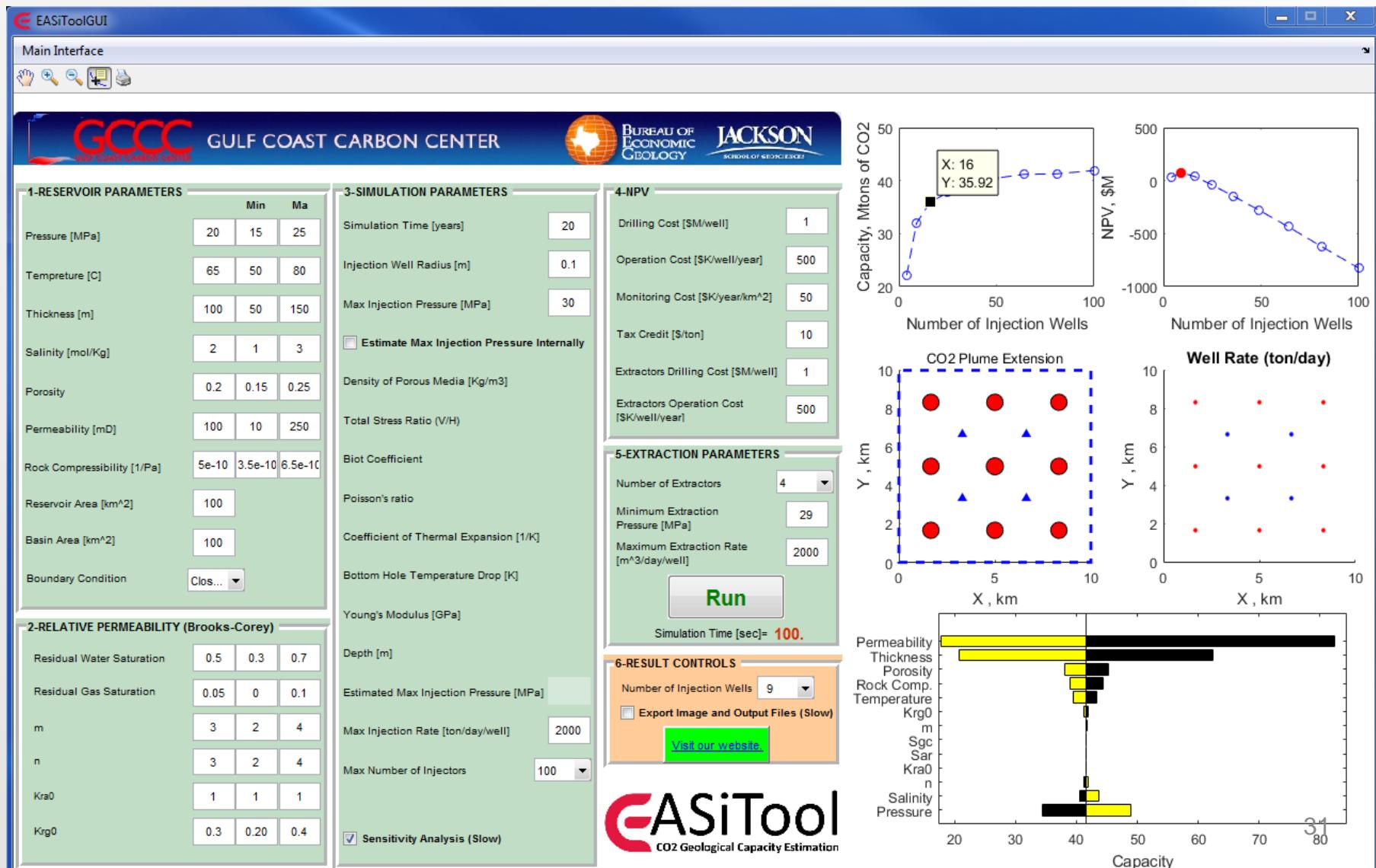
Stress Path During CO₂ Injection



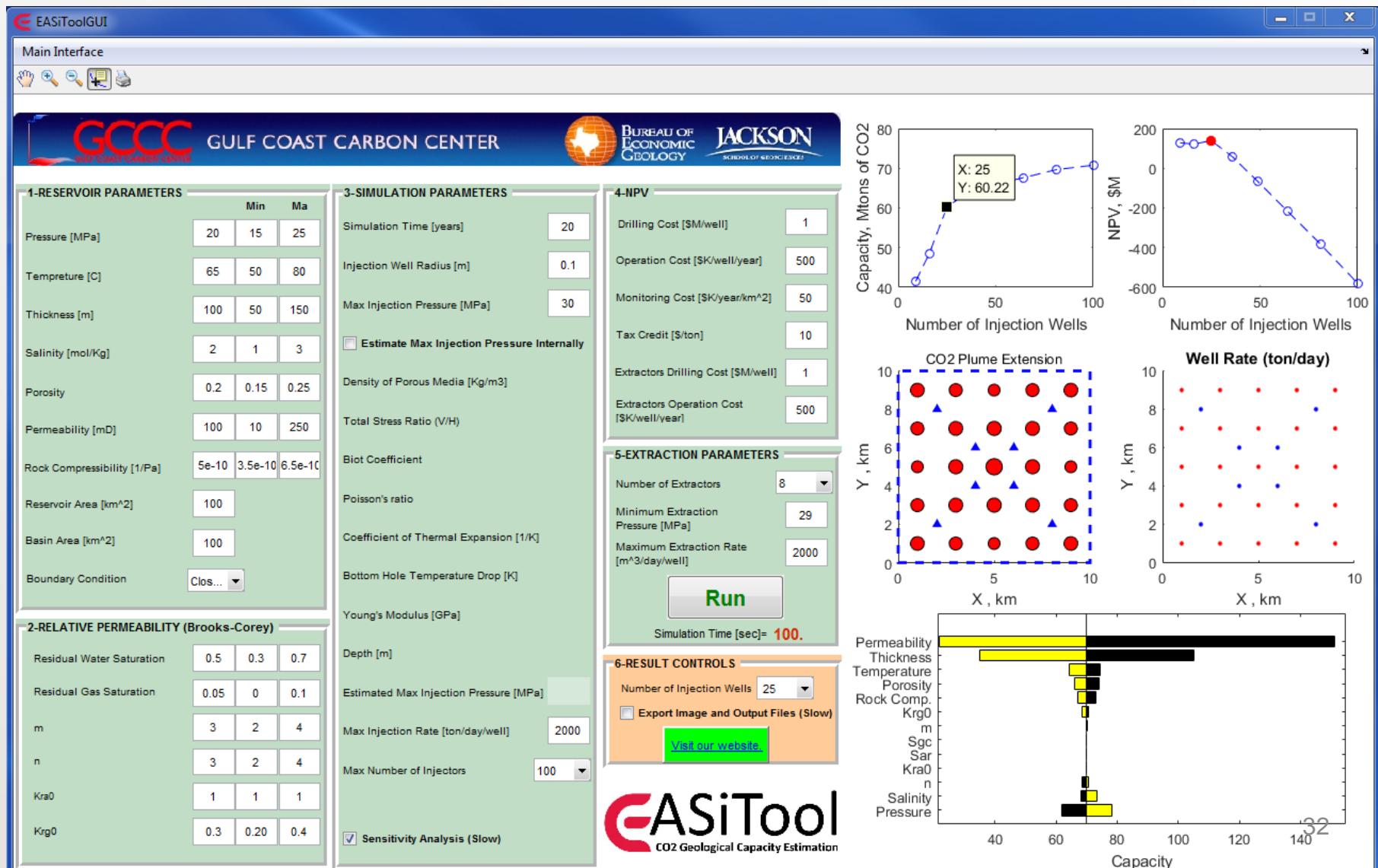
Input Parameters



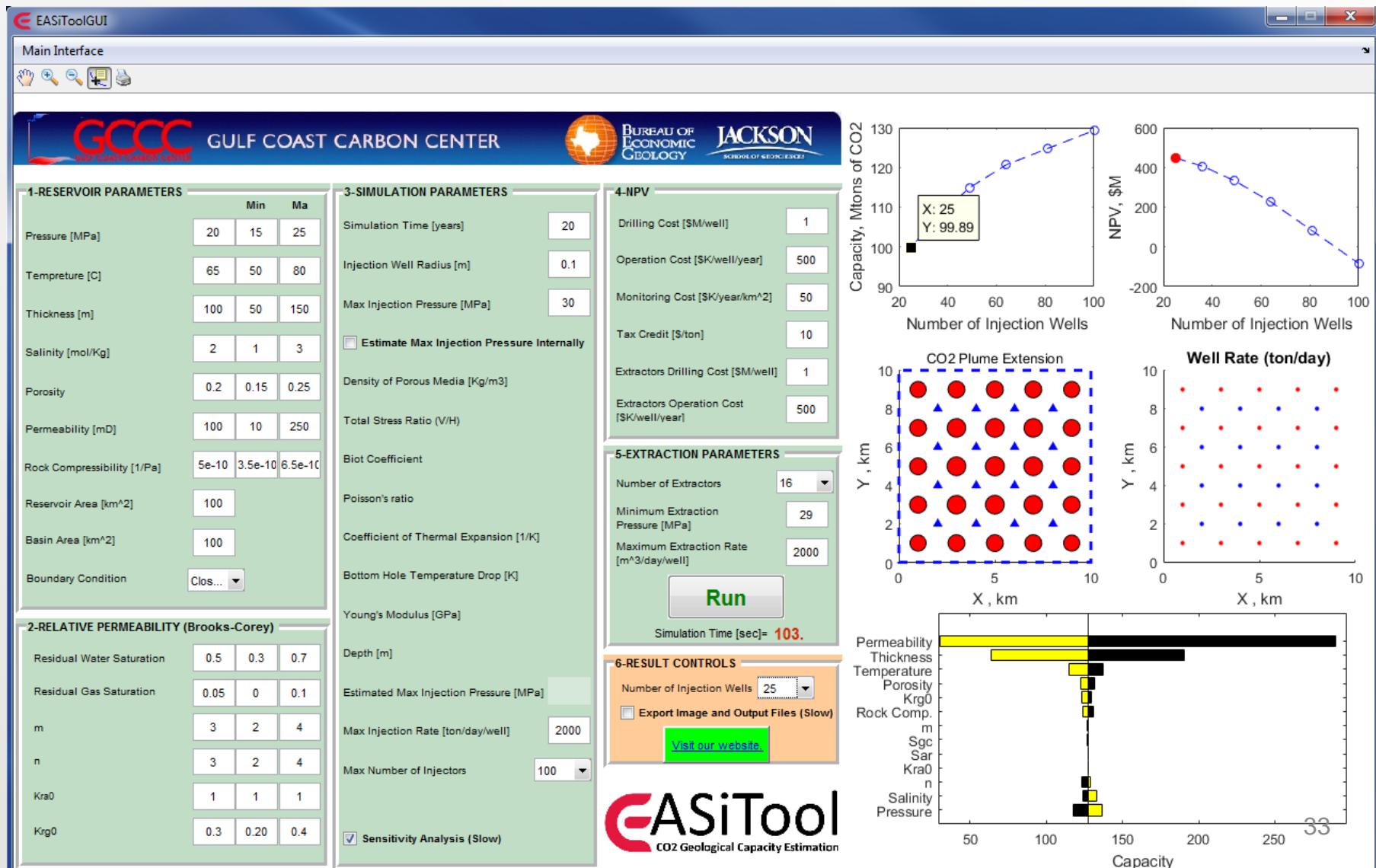
Closed Boundary, 4 Extractors



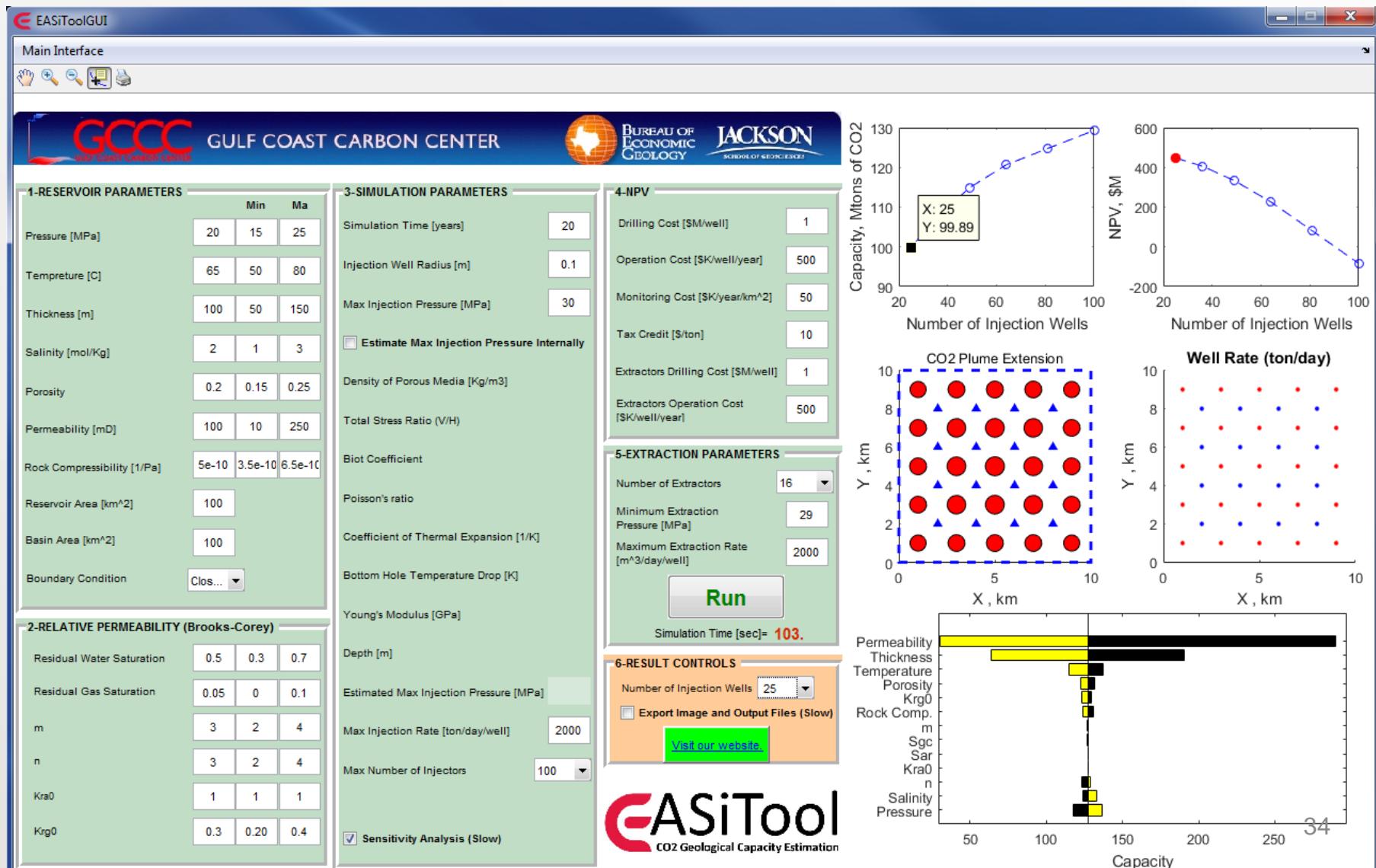
Closed Boundary, 8 Extractors



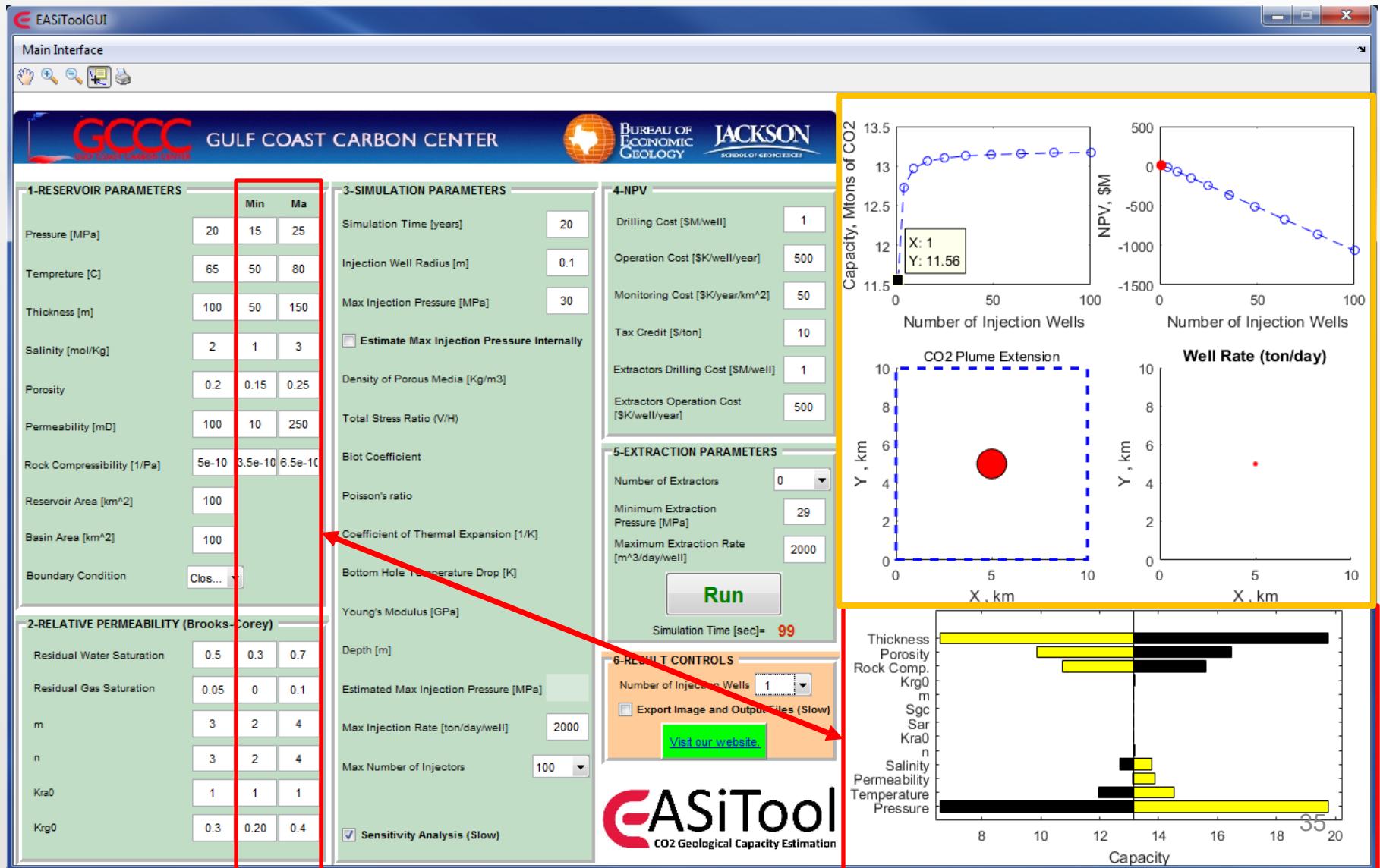
Closed Boundary, 16 Extractors



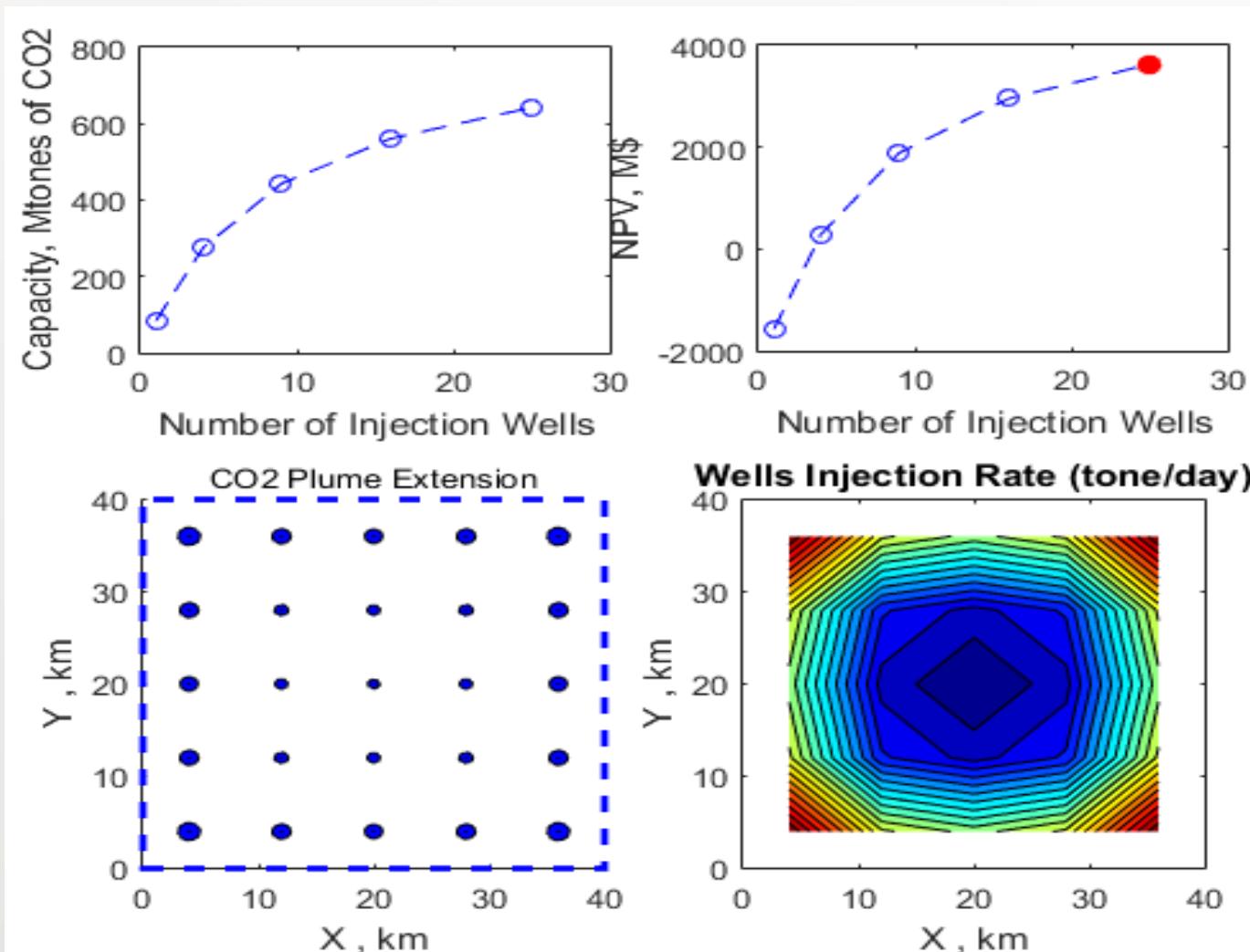
Closed Boundary, 16 Extractors



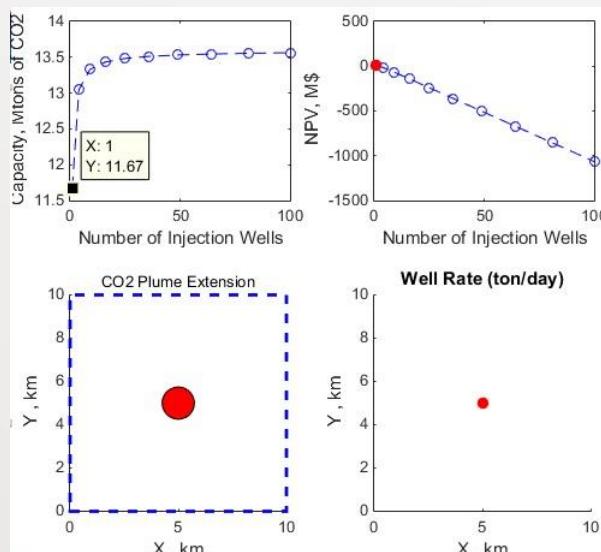
Sensitivity Analysis



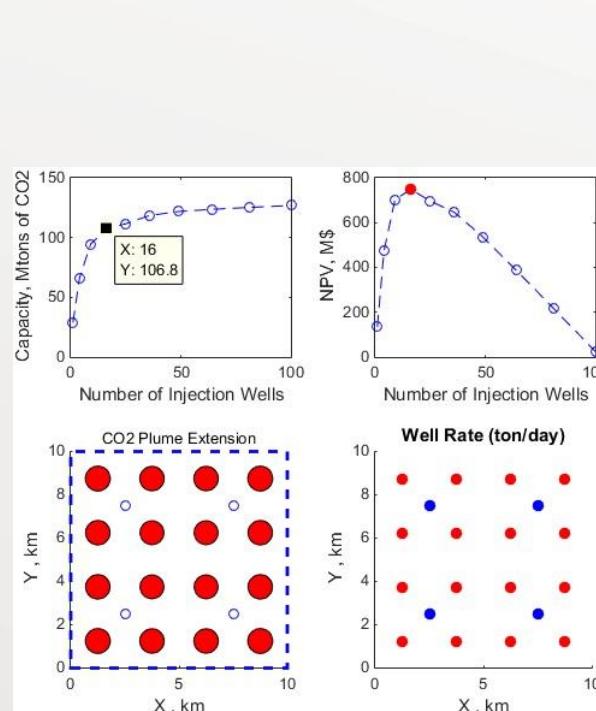
EASiTool – Interface 7



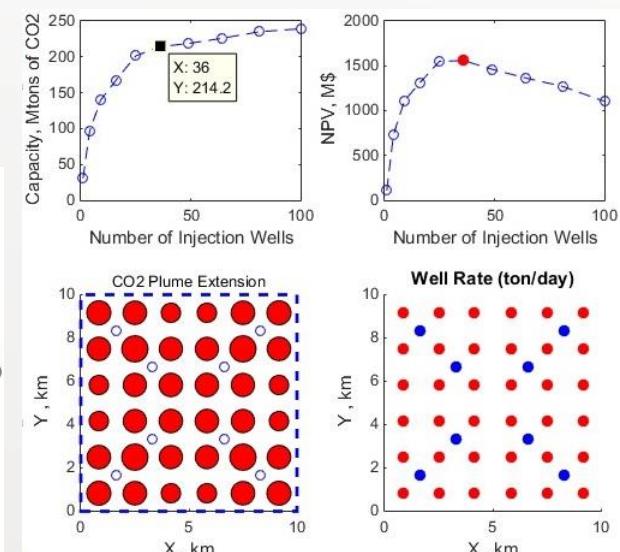
Extraction Results



0 Extractors
Capacity: 11.7 Mton
1 injector

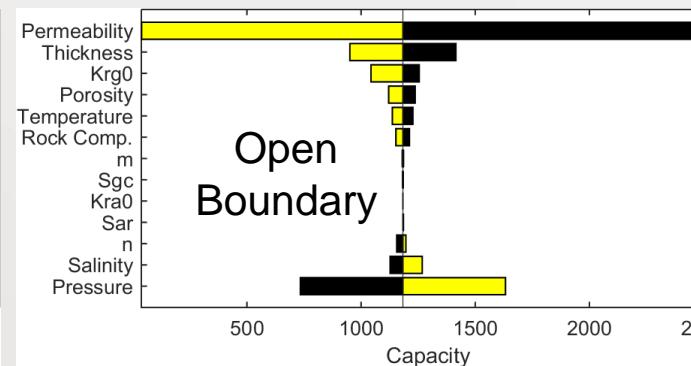
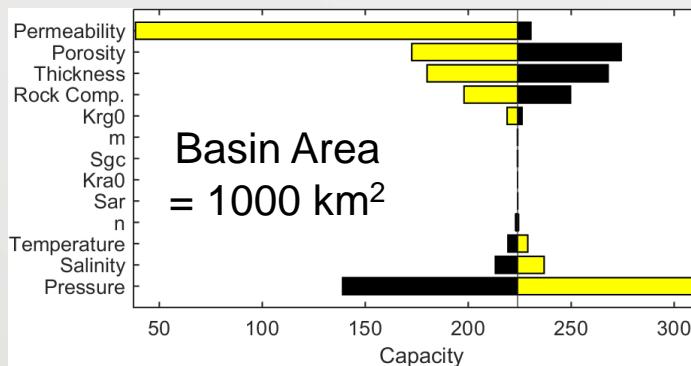
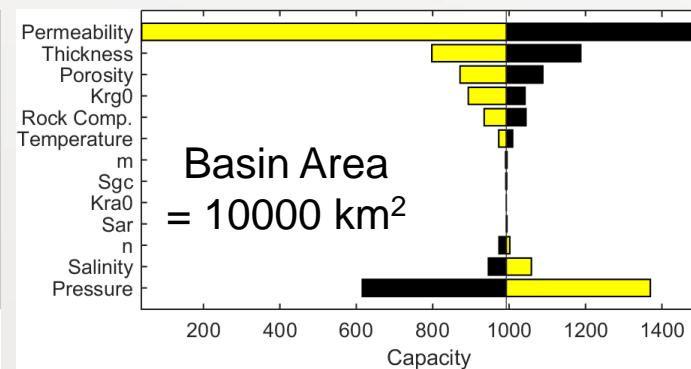
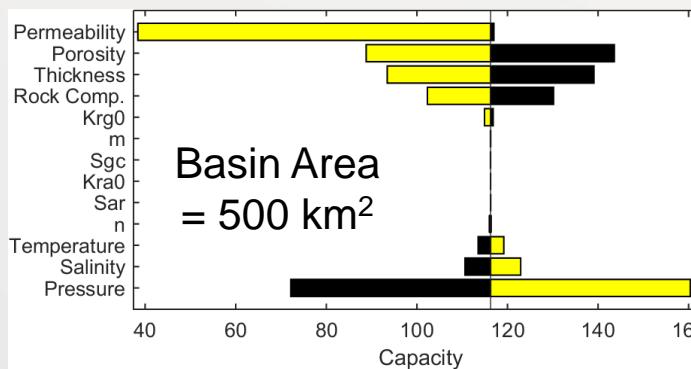
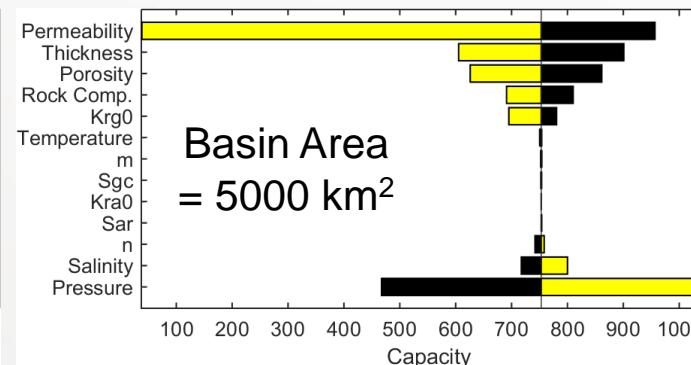
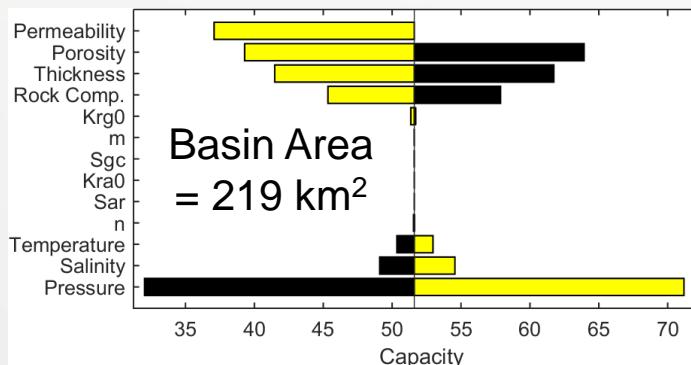


4 Extractors
Capacity 107 Mton
16 injectors

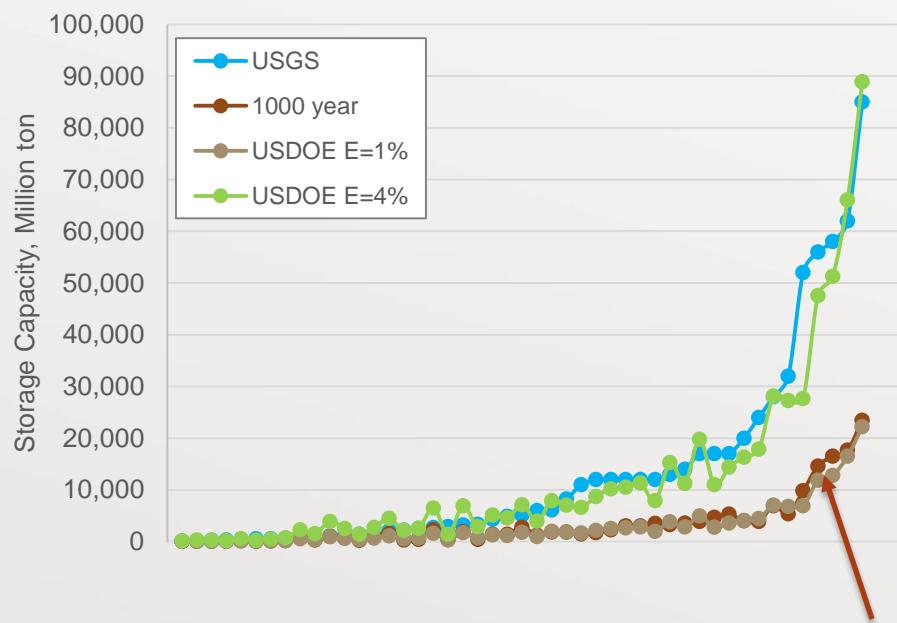


8 Extractors
Capacity: 214 Mton
36 injectors

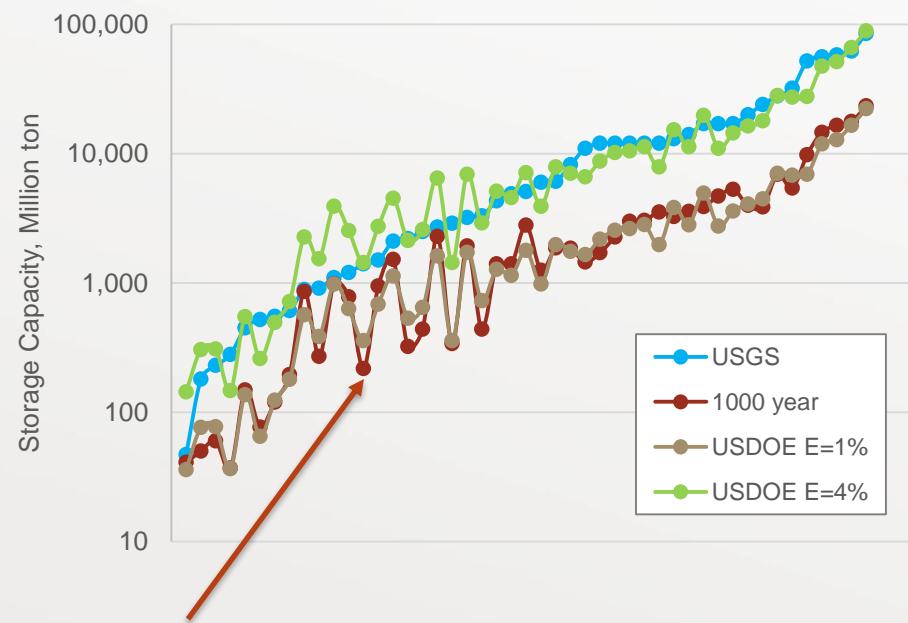
Reservoir Area = 219 km²



EASiTool vs Static Methods



EASiTool 1000 years



EASiTool 4.0

Injection time, year	2
Basin size, km ²	20 km × 10 km
Number of injectors	114
Number of extractors	12
Injection rate, ton/day	100 – 500
Extraction rate, m ³ /day	200

EASiTool 4.0

Well Number	Well X (m)	Well Y (m)	Injection Rate (Ton/day)	Extraction Rate (m^3/day)	Max Injection Pressure (Mpa)	Min Extraction Pressure (Mpa)	Well Type (0 for Injector/1 for Extractor)
1	2973.80	6768.29	500	0	35	20	0
2	3290.68	6743.90	134	0	35	20	0
3	2717.85	6439.02	378	0	35	20	0
4	3095.67	6439.02	174	0	35	20	0
5	3534.43	6426.83	367	0	35	20	0
6	2644.73	6085.37	446	0	35	20	0
7	2985.98	6073.17	429	0	35	20	0
8	3375.99	6073.17	138	0	35	20	0
9	3766.00	6073.17	405	0	35	20	0
10	3839.12	5731.71	432	0	35	20	0
11	3436.93	5719.51	421	0	35	20	0
12	2985.98	5719.51	159	0	35	20	0
13	2571.60	5731.71	157	0	35	20	0
14	2254.72	5365.85	276	0	35	20	0
15	2608.17	5353.66	274	0	35	20	0

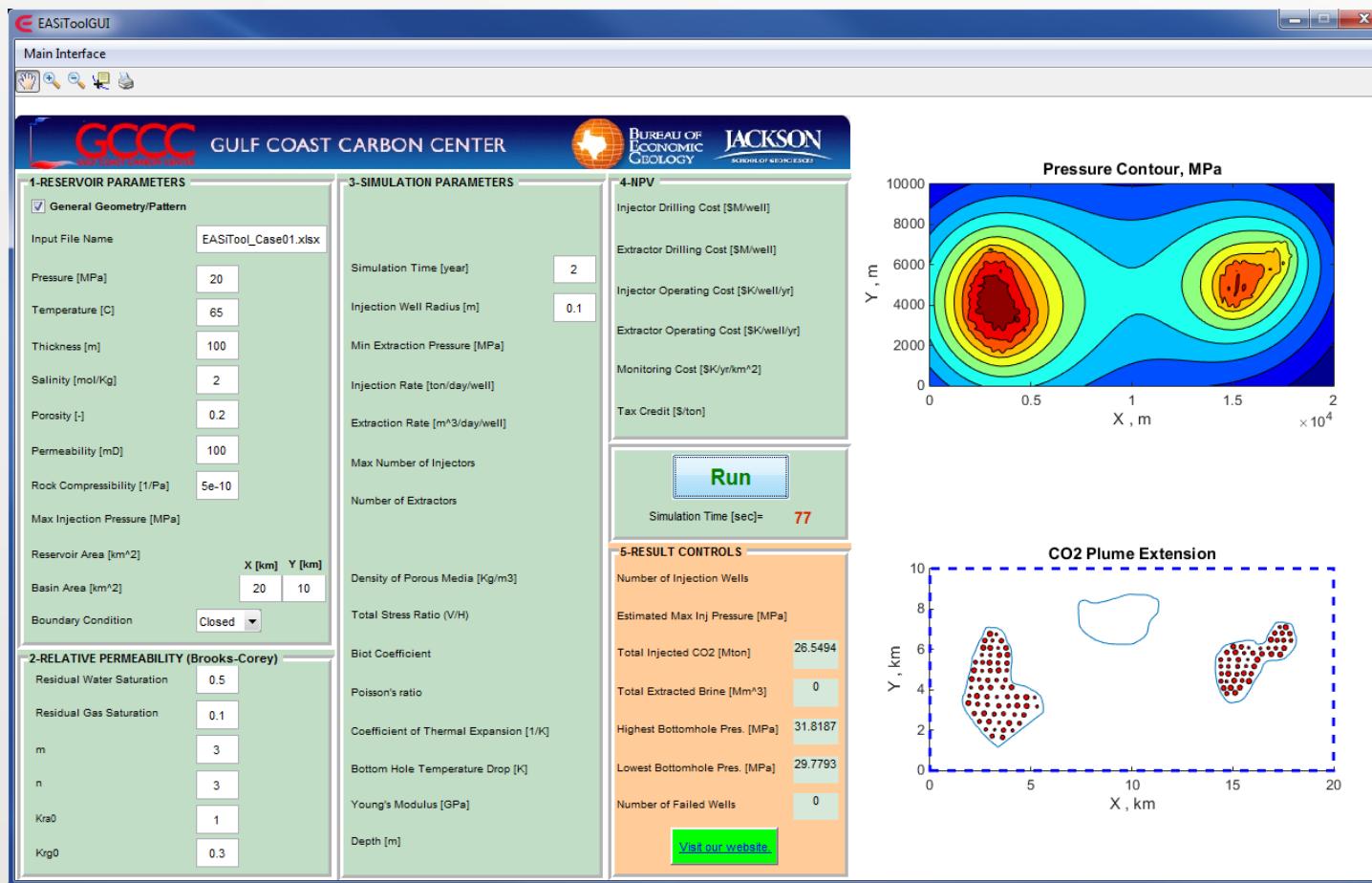
//

115	3193.17	5865.85	0	200	35	20	1
116	3120.05	4719.51	0	200	35	20	1
117	3436.93	3902.44	0	200	35	20	1
118	2595.98	3487.80	0	200	35	20	1
119	4095.06	3451.22	0	200	35	20	1
120	3839.12	2597.56	0	200	35	20	1
121	2864.11	2658.54	0	200	35	20	1
122	17343.08	6243.90	0	200	35	20	1
123	14990.86	5670.73	0	200	35	20	1
124	15917.12	5317.07	0	200	35	20	1
125	15003.05	4975.61	0	200	35	20	1
126	15173.67	4256.10	0	200	35	20	1

Injectors

Extractors

EASiTool 4.0



END PART I

Exercise

• A)

$$\frac{1641 \times 10^6 J}{s} \times \frac{365 \times 24 \times 3600 s}{year} = 5.17 \times 10^{16} J / yr$$

• B)

$$\frac{7100 BTU}{lb} \times \frac{1lb}{.454kg} \times \frac{1055J}{BTU} \times \frac{1000kg}{ton} = 1.65 \times 10^{10} \frac{J}{ton coal}$$

• C)

$$\frac{5.17 \times 10^{16} J}{yr} \times \frac{ton coal}{1.65 \times 10^{10} J} \times \frac{1}{.5} = 6.3 \times 10^6 \frac{ton coal}{year}$$

• D)

$$\frac{6.3 \times 10^6 ton coal}{yr} \times \frac{2ton CO_2}{ton coal} = 12.6 \times 10^6 \frac{ton CO_2}{year}$$

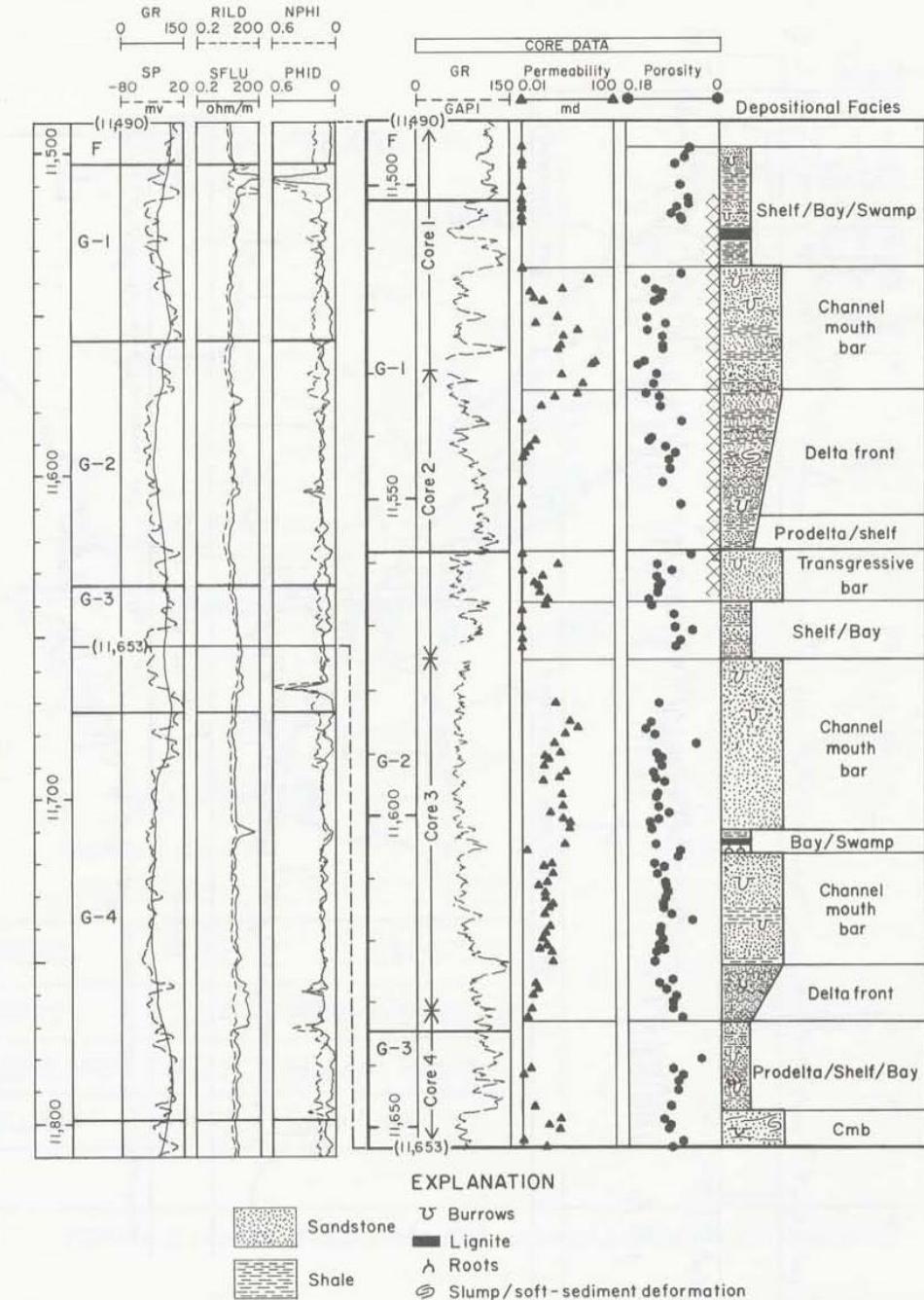
• E)

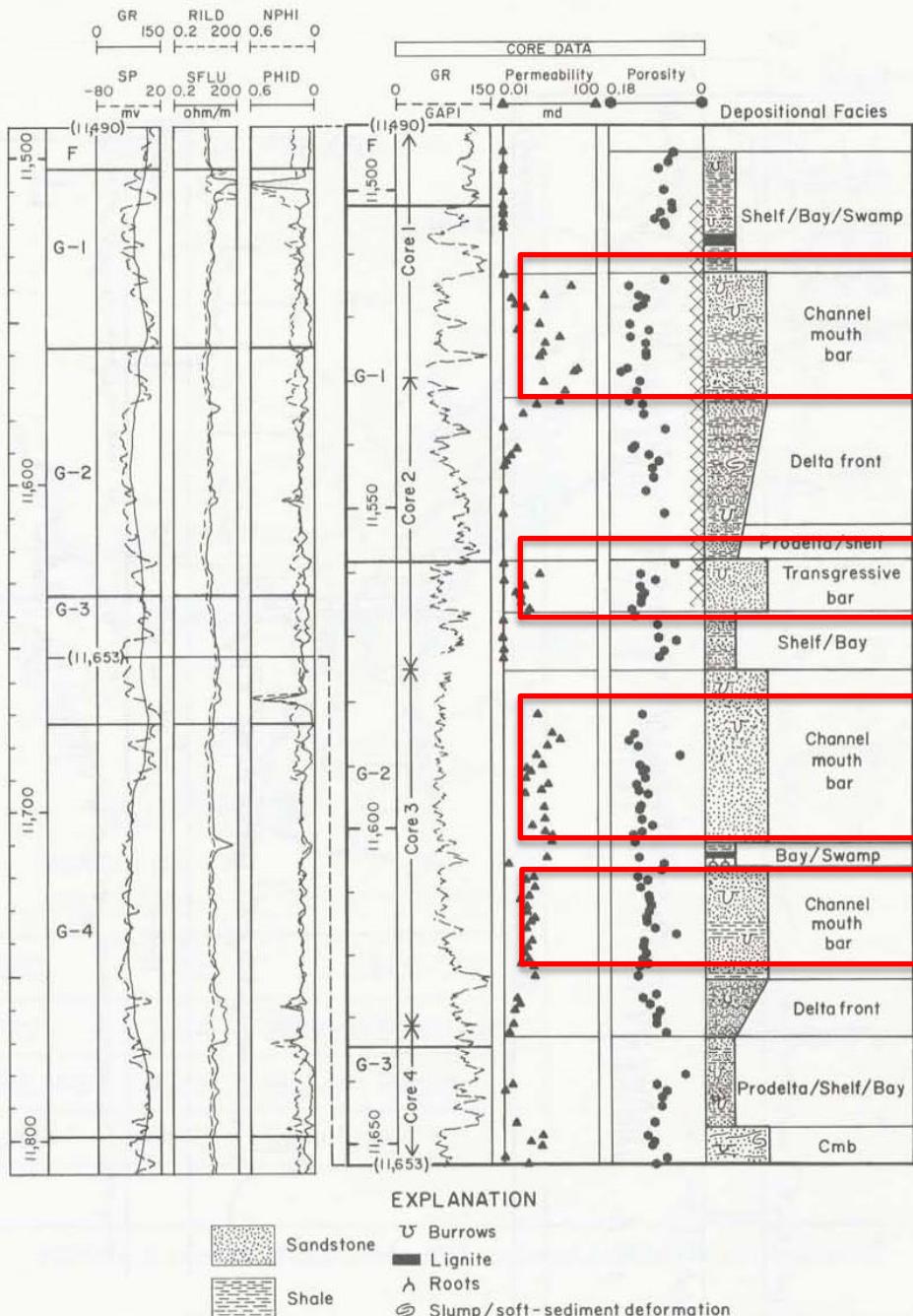
$$\frac{12.6 \times 10^6 ton}{yr} \times \frac{18.95 Mscf}{ton} \times \frac{1 MMscf}{1000 Mscf} \times \frac{1 year}{365 days} = 651 MMscfd$$

• F)

378 million tonnes over 30 years

Storage Target: Wilcox Formation, Fluvial Sandstone





Formation

Table 1: Template input

Initial pressure, MPa	21.7
Initial temperature, °C	69
Thickness, m	200 (10XWilcox)
Salinity, kg/mol	2
Porosity	0.15
Permeability, mD	10
Rock compressibility, 1/Pa	5.0E-11
Reservoir area, km ²	1600
Basin area, km ²	1600
Boundary Condition	Closed or Open

Table 2: Relative permeability parameters for Brooks-Corey model

Residual water saturation, S_{wr}	0.2
Residual gas saturation, S_{gr}	0.1
Water exponent, m	3.0
Gas exponent, n	3.0
Water end point relative permeability, k_{rw}^*	1.0
Gas end point relative permeability, k_{rg}^*	0.8

Table 3: Simulation parameters

Simulation time, year	30
Injection well radius, m	1
Maximum injection pressure, MPa	43.4

EASiTool – Wilcox Formation

1. How many wells are required to store 378 million tone of CO₂ for open boundary condition? What is the optimum number of injection wells?
2. How many wells are required to store 378 million tonne of CO₂ for closed boundary condition? What is the optimum number of injection wells?
3. Double the basin area for closed boundary condition and redo question 2. Explain the change.

Table 1: Template input

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Injection well radius, m	1
Maximum injection pressure, MPa	43.4

Wilcox

1. How many wells are required to store 378 million tone of CO₂ for open boundary condition? What is the optimum number of injection wells?
 1. 9 wells, NPV: 64 wells and 9<64 is good.
 2. Extra: 428.3 million tone; Max injection rate: 4897 tonne/day; optimum 4263 M\$
2. How many wells are required to store 378 million tonne of CO₂ for closed boundary condition? What is the optimum number of injection wells?
 1. 64 wells, NPV: 25 and 64>25 is not good.
 2. Extra: 381 million tone; Max injection rate: 1374 tonne/day; optimum 625.6 M\$
3. Double the basin area for closed boundary condition and redo question 2. Explain the change.
 1. 16 wells, NPV: 49 wells and 16<49 is good.
 2. Extra: 453.8 million tone; Max injection rate: 3456 tonne/day; optimum 2586 M\$

Time lapse compressibility monitoring

- Monitors fluid compressibility changes with time in AZMI
- Given the large compressibility difference between brine and CO₂, any considerable CO₂ leakage into a formation originally filled with brine is expected to increase overall compressibility of the formation.
- If this leakage happens to be near the monitoring wells running interference tests, appropriate interpretations can help in an understanding of the system's behavior.
- This technique requires a brine-saturated monitoring formation with near-zero gas saturation. It also requires a baseline test prior to CO₂ injection.

Time lapse compressibility monitoring

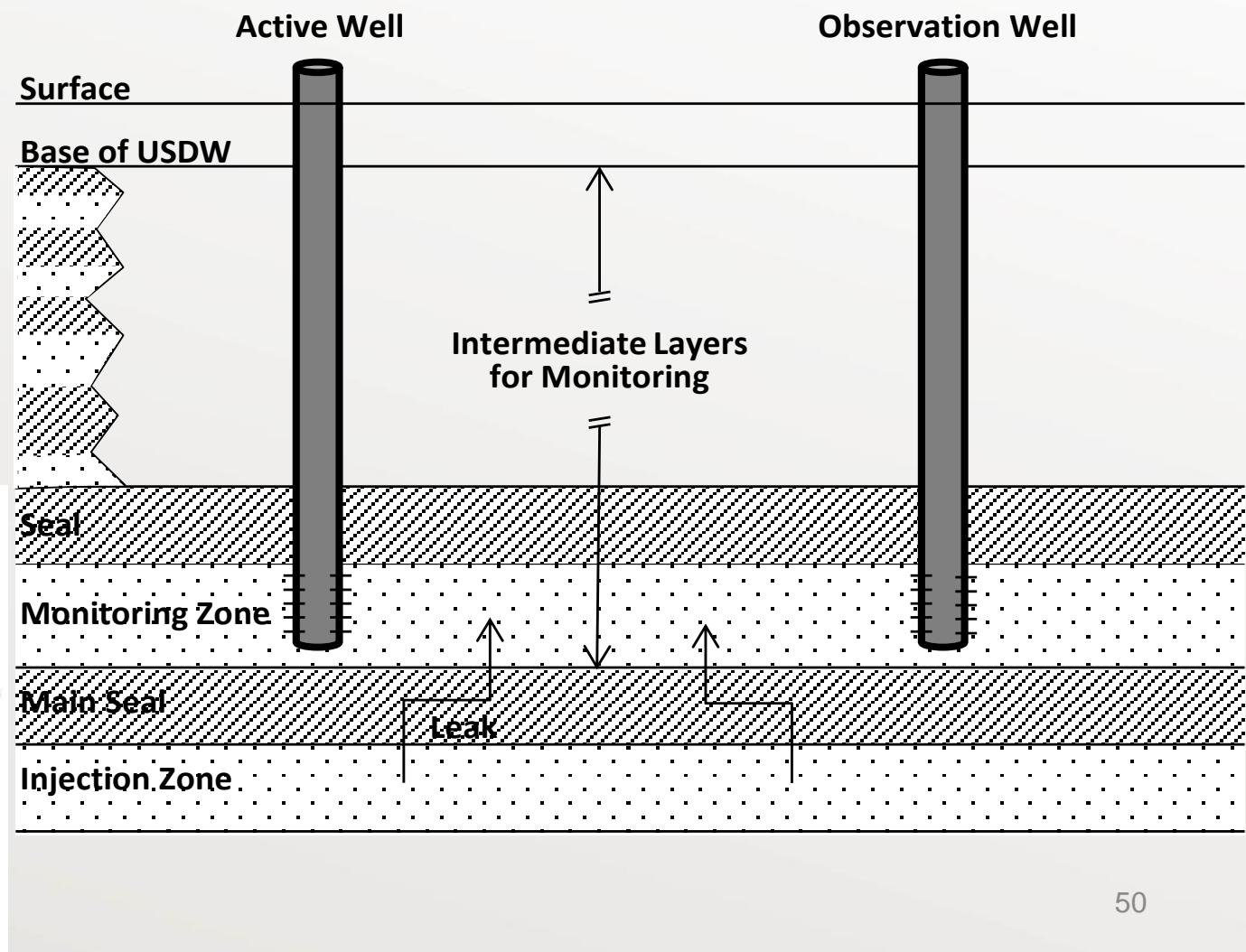
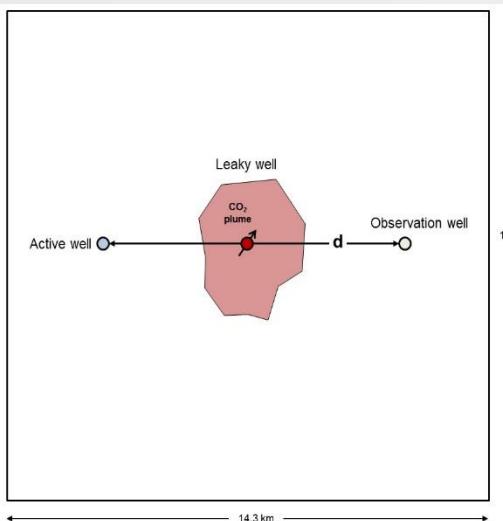
Above-zone;
Active

$$\text{Storativity (S)} = \phi h c_t$$

$$\text{Transmissibility (T)} = kh/\mu$$

$$\text{Diffusivity (D)} = T/S$$

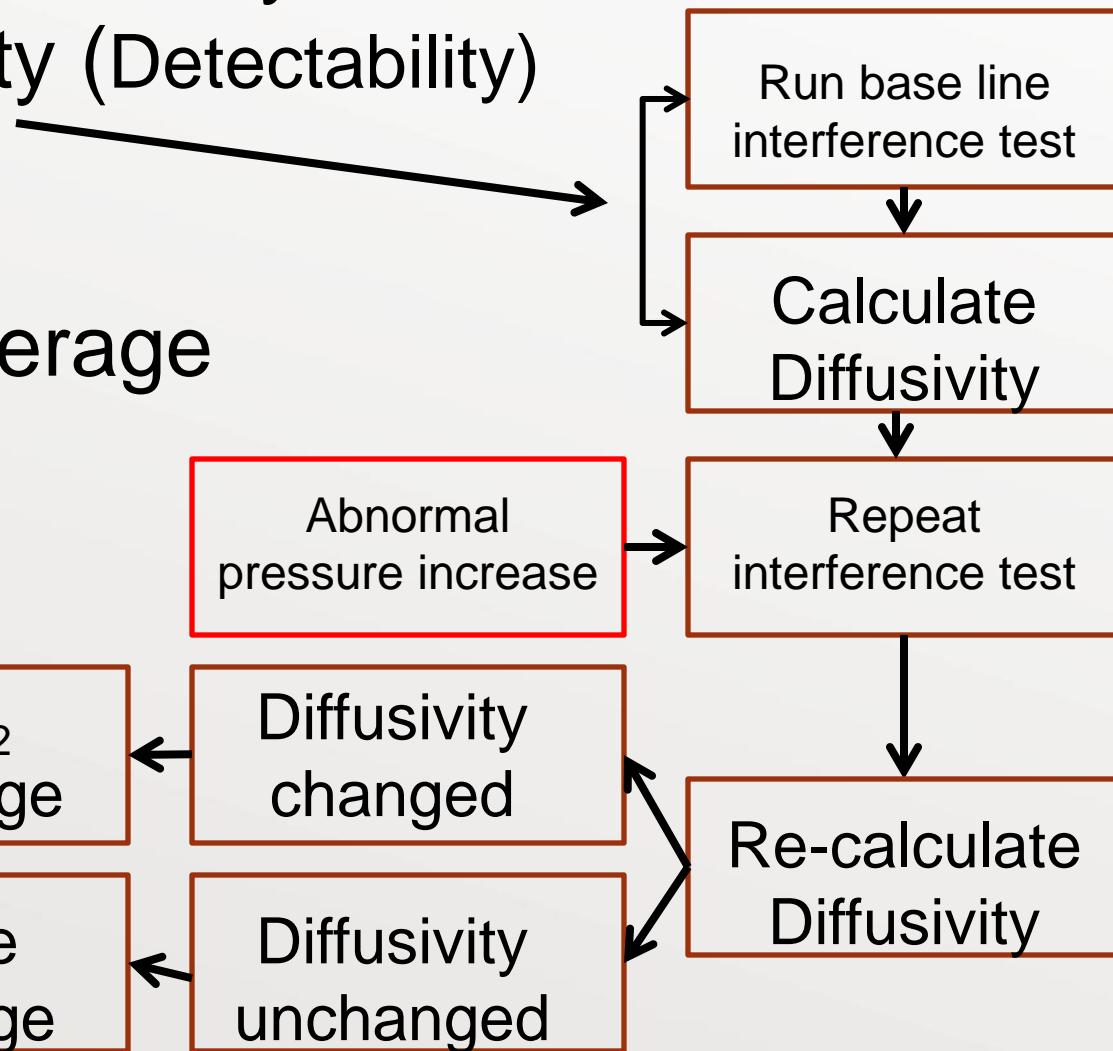
Map view of monitoring zone



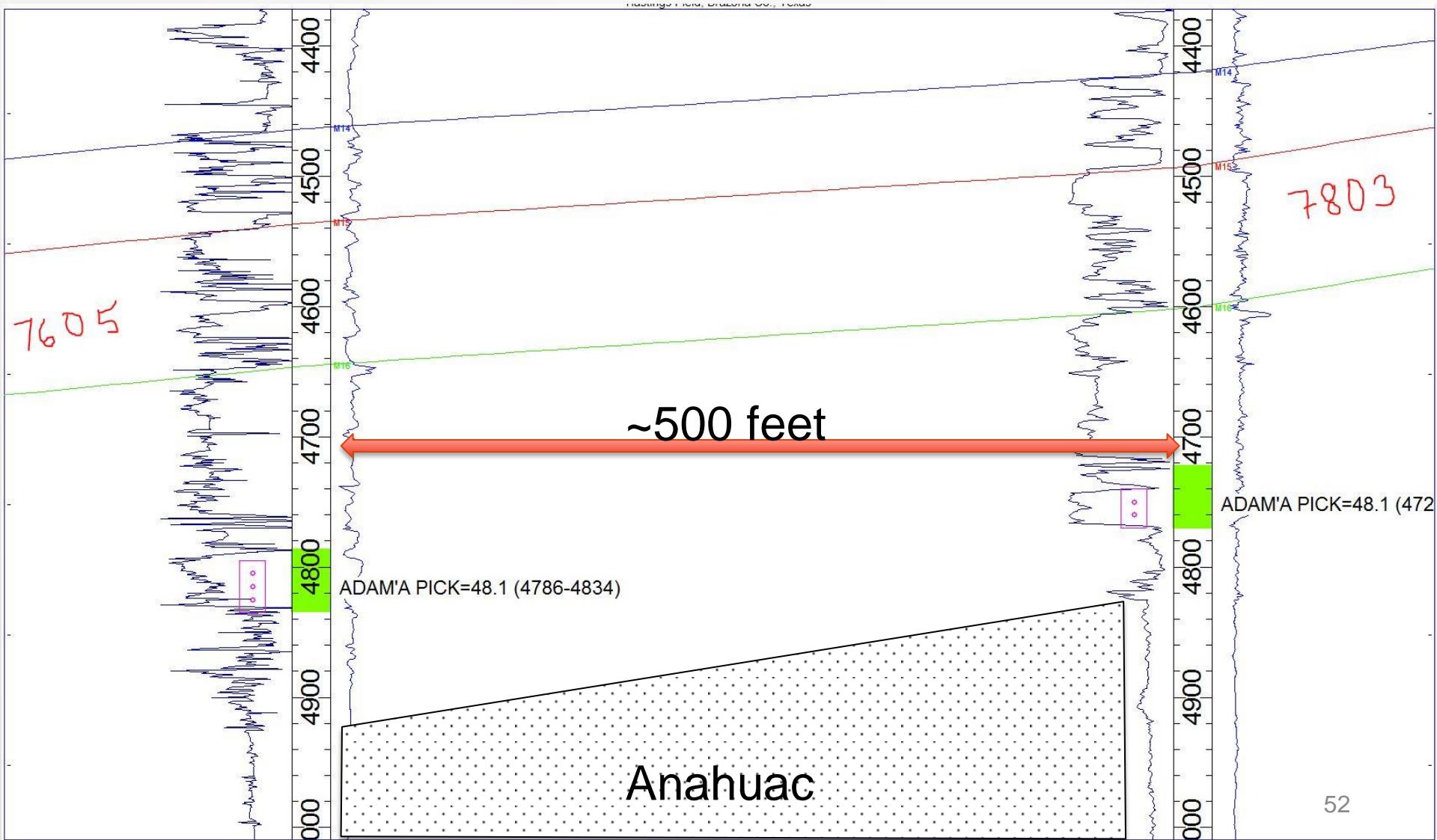
Time-lapse Diffusivity

- Repeatability (Detectability)

- Area of coverage



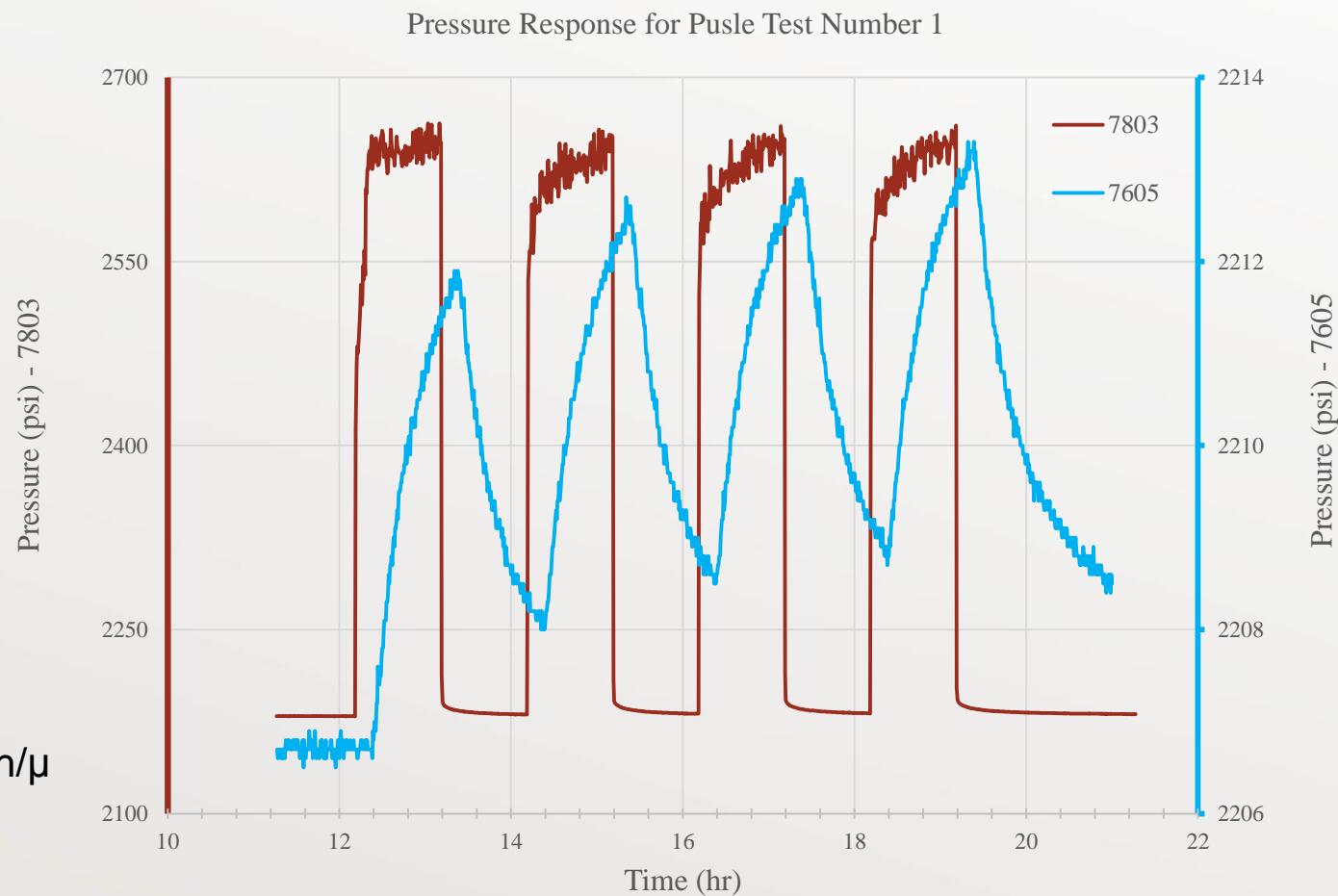
7803-7605 wells completed in M16 sand



Test Setup



Above-zone; Active



Above-zone; Active

